ARTICLES OF ASSOCIATION OF

Beijing Jingneng Clean Energy Co., Limited 北京京能清潔能源電力股份有限公司

(Incorporated in the People's Republic of China with limited liability)

(Applicable after the issue of H shares)

(As adopted pursuant to a written resolution passed at the first extraordinary general meeting of the Company in 2010 held on 16 November 2010, and as revised pursuant to written resolutions passed at the first extraordinary general meeting of the Company in 2013 held on 17 December 2013, the first extraordinary general meeting of the Company in 2014 held on 28 October 2014 and the first extraordinary general meeting of the Company in 2018 held on 13 February 2018)

^{*} The decay A_{ij} B_{ij} B_{ij}

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Chapter 1 General

Article 1

Article 2

Article 3

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De e_1 , e_2 , e_3 , e_4 , e_5 , e_6 , e_7 , e_8

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Fa N .: 010-64469736

Article 5

 $T_{\ell} \ e \ c_{\ell} \ a + a_{\ell} + a_{\ell} + f \ e \ b_{\ell} \ a \ d + f \ d + e c_{\ell} + \dots + e \ C_{\ell+1} + a_{\ell} + e \ a_{\ell} + e_{\ell} + e_{\ell$

Article 6

 $T_{c} \in C_{c,p}$, $a_{c,p}B$, $a_{c,p}e$, $e_{c,p}a_{c,p}$, .e.d $c_{c,p}$, $a_{c,p}B$

Article 7

 $A_{jj} = C_{i,j}, a_{i,j}B_i, a_{i,j} = a_{i,j} = ded \quad ded \quad a_{i,j} = a_{i,j}, a_{i,j} = ded \quad ded \quad a_{i,j} = a_{i,j} = a_{i,j} = ded \quad ded \quad a_{i,j} = a_{i,j} = a_{i,j} = ded \quad ded \quad a_{i,j} = a_{i,j} = a_{i,j} = ded \quad ded \quad a_{i,j} = a_{i,j} = a_{i,j} = ded \quad ded \quad a_{i,j} = a_{i,$

Article 8

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Article 9

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T. A. c.e. fA. c.a. ... a_1 be early Bb. d. ... eC., a_1 B'. a explored e.g. eC., a_2 B, e. ... e

 $F_{i} = \{a_{i}, a_{i}, a_{i}$

The equation of the equation

Article 10

Article 11

If C_{i} , a $ce \boxtimes \dots e C_{i}$, a $e C_{i}$

Article 12

Chapter 2 Operational Objectives and Scope

Article 13

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Article 14

The $C_{i,j}$, $a_{i,j}B_{i,j}$, $c_{i,j}$, $e_{i,j}$, $f_{i,j}$ be accordance M and $e_{i,j}$, $e_{i,j}$,

Chapter 3 Shares, Registered Capital and Transfer of Shares

Article 15

Article 16

 $T_{\ell} \in C_{\ell, \frac{1}{2}} \text{ , a.y.} B_{\ell, \ell} \text{ a.e. ... a.}_{j, j} \text{ be } \text{ ... e.f.}_{\ell, \frac{1}{2}} \text{ ... a.e. c... f. ca.e. .}$

 $A_{j,l} \downarrow e \downarrow a \mid e_{l} \downarrow a$

 $T_{\ell} \in RMB_{\ell} = \{a_{\ell}, c_{\ell} \in A_{\ell} \mid a_{\ell} \in A_{\ell} \text{ as a a, } \ell \in A_{\ell} \text{ and } a_{\ell} \neq a_{\ell} \text{ as a a, } \ell \in A_{\ell} \text{ as a, } \ell \in A_{\ell} \text{ as a a, } \ell \in A_{\ell} \text{ as a, } \ell \in A_{\ell} \text{ as a, } \ell \text{ as a, } \ell \text{ as a a, } \ell \text{ as a, } \ell \text{ as$

Article 17

 $C_{-\mu}$, $a_{-\mu}B_{-\mu}$ a e. ... a_{μ} be ... ed balled ... e, ... c, e. ... $f_{-\mu}$, e. ... $f_{-\mu}$,

Article 18

 $T_{c} \in C_{c, \gamma} , a_{c, \gamma} B_{\gamma} a_{b} B_{c, 1} e_{c, \gamma} a_{c, \gamma} e_{c, \gamma} , \dots e_{c, \gamma} e_{c, \gamma}$

Article 19

 $T_{\prime} e.e_{+} = f_{\prime} = e_{+} q - e_{+} q_{+} Bc_{+} + e_{+} eced_{+} \quad \text{, a a a, ...} \quad a_{||} = f_{0} = e_{+} q_{0} Bf_{0} = e_{+}$

A,, ed b, B, eq. e e | a, y, B a ... | B, f .. e S. a. e C, i ... | c, ... a e ... | de ... f ... e C, | a y, B', d | e ... c ... a d ... a e ... a d ... a e ... a d ... a e ... a d a e ...

Article 20

 $F_{\text{op}} = \{ a_{\text{op}} = a_{\text{op}} \}, \quad a_{\text{op}} = \{ a_{\text{op}} = a_{\text{op}}$

Be . E. e. $_{y}BI_{0}$ e. . . $_{y}$ e. . $_{y}H_{0}$ d. C. ., L.d., .. b. c. be. a. d. ... d. 4,287,400,000 ... a.e., e. e. e. e. .. 85.748%. f... e. ... a. ... ed. d. a. $_{y}B_{0}$... a. e. ... f... e C. ... a. $_{y}B_{0}$

Be . S.a.e A. e. Ma, a e_{μ} e. a, d Ad_{μ} . . . a. . Ce, e . i b. c be, a, d . . d. 230,150,000 . a e., e, e. e. . 4.603% . f., e., a, . . i ed . d . a, B. . a e. . f., e $C_{\mu\mu}$, a, $C_{\mu\nu}$,

BARCLAYS BANK PLC $_{11}$ b. c be, a, d, $_{11}$ d. 153, 450, 000 $_{12}$ a e, , e, e, e, e, e, e, e, a, $_{11}$ $_{12}$ ed $_{12}$ d. $_{13}$ d. $_{14}$ e. $_{14}$ d. $_{15}$ d. $_{15}$

Af.e ... e ab. e- $_{\uparrow}$ e..., ed ... a ce a d . ffe ..., ... e ca, .a _ ... c. e . f ... e ... a _ ... a _ ... e ... f 6,870,423,454 ... ed ... d .a $_{\chi}B_{c}$ a e a _ , . f \boxtimes . c. :

Be . E. e. $_{\gamma}$ BI. e. $_{\gamma}$ e. H. $_{\gamma}$ d. C. ., L.d., $_{\gamma}$. $_{\gamma}$ d. 4,179,321,592 d. $_{\gamma}$ e. c. . e. $_{\gamma}$ e. . . a e. , e. e. e. . . 60.831% . . e C. $_{\gamma}$, a. $_{\gamma}$ B'. . . a. . a e ca, . a, ;

Be . D . c. Hea. (G . 1 ,) C . ., L.d. , d. 16,035,322 d., e. c . e., e. e. . a e., e. e. e. . 0.233% . . e $C_{\rm c.}$, a $_{\rm p}B_{\rm c.}$. . . a c $_{\rm c.}$, a e $_{\rm c.}$, a e $_{\rm c.}$.

So a example of figure a early and the decomposition of the second of t

Article 22

Article 23

After we, at first the energy end of a end of decrease and domplete content and end edges are same below and the end of decrease and a end of decrease and a end of decrease and a first and a first

Article 24

Article 25

The ellipse ed ca, a_i of the C_{c_i} , $a_{i,y}B$ or RMB6,870,423,454.

Article 27

 $T_{\ell} \in C_{\ell+1} \text{ , a.y.} B_{\ell+1} a_{j_1,\ldots,n} \text{ acce,} \text{ a.e. a.e. a.e. bec. fa, edge.}$

Article 28

The wale of we C_{++} , $a_{+}B_{+}$ ed $b_{+}B_{-}$ e, a_{++} be a life ed \boxtimes . The wale of each of each of each of ed \boxtimes . The wale of each of each of ed \boxtimes . The wale of each of ed \boxtimes . The wale of each of ed \boxtimes . The wale of each of each of ed \boxtimes . The wale ed \boxtimes . The wall ed \boxtimes . The wale ed \boxtimes . The wale ed \boxtimes . The wall ed \boxtimes . T

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Article 29

If a d ec., i, e ... e

If ... e ... a ... a

If ... e b, a d, f d ec., ..., f, .. e ..., .. b, e d ec., ..., .. a ..., .. e .., ... b, e d ec., ... a, be ..., ..., ... Ba, d, e e a_1 , ... b, e, acc., da, ce a_2 , ... e, a_2 .

Chapter 4 Increase, Reduction and Repurchase of Shares

Article 30

 $T_{\ell} \in C_{\ell+1} \text{ , a.y.} B_{\ell+1} \text{ ay.} B_{\ell+1} \text{ c. ea. e... ca, .a. by.} B_{\ell+1} \in f_{\ell+1} \text{ ay.} B_{\ell+1} \text{ e... c. d.} :$

- (1) $\mathbf{P}_{1} \mathbf{b}_{1} \mathbf{c} \dots \mathbf{a}_{n} \mathbf{c} \mathbf{e}_{n} \mathbf{f} \dots \mathbf{a}_{n} \mathbf{e}_{n}$;
- (2) $N_{c} = b_{c} c_{c} a_{c} c e_{c} f_{c} a_{c} e_{c};$
- (3) $D = b \cdot a \cdot b \cdot$
- (4) $C_{i,j}$, $e_{i,j}$, $f_{i,j}$, $e_{i,j}$, $e_{i,$
- (5) One end, dec bed by Bre and a derivation a, , ed by Bre e e a reliative Barror . e. .

Article 31

Article 32

If $a \in C_{i+1}$, $a \in B$ educe, $a \in C_{i+1}$ educe, $a \in C_{i+1}$ educe, $a \in C_{i+1}$ and $a \in C_{$

Where $a_1 e C_1$, $a_2 B e d c e$, e here $e d c a_1$, $a_1 C_2$, $e C_2$, $a_2 B A_2$, $e C_3$, $e C_4$, $e C_4$, $e C_5$, $e C_6$, $e A_1 B A_2$, $e A_2 B A_3$, $e A_4 B A_4$, $e A_5$, $e A_6$, $e A_7$, $e C_8$, $e A_8$,

 $T_{\ell} \ e \ \text{ed} \ \text{ced} \ e \ \text{...} e \ \text{ed} \ \text{ca}, \ \textbf{...} a_{j-1} \ \text{f...} e \ C_{\ell-j-1} \ \textbf{,} \ \textbf{a}_{j} B_{j-1} \ \textbf{...} b e_{j-1} e_{\ell-1} \ \textbf{...} a_{\ell-1} e_{\ell-1} B_{j-1} \ \textbf{...} e_{j-1} \ \textbf{...} \\$

Article 33

- (1) Ca, ce_{ij} a. . . , f , a e_{ij} . . de ., ed ce . e .. e de ce . e
- (2) Me $e \boxtimes A a_1 A e c_1 a_2 B a_1 d_1 A e c_2 a_3 B_3$

- (3) A, a, e, f $\in \mathbb{Z}$ a d, d, b, f, a e, ... aff, f, e C_{i_+} , $a_{i_2}B_i$
- (4) Ac i f . . a e . . e d b, B . a e . . de . (i, e e i e . .) X e a a . . . a , y B e . . i , e . . d f . . e C_{-} , a , y B,
- (5) One compare \mathbb{Z} , e.e., \mathbb{Z} , e.e., \mathbb{Z} and \mathbb{Z} ano

- (1) Ma , , , f a $e_{i,1}$ c, $a_{i}e_{i}$ ffe , , $e_{i}a_{i}$ e, , , , . . . $a_{i,1}$, a $e_{i}a_{i}$ de , ;
- (2) Re, 1 c, a, e., 1 , , e., a, ac., ..., a, eq., e, e c, a, e;
- (3) Re, \mathbf{r} c, \mathbf{a} e \mathbf{b} Ba, \mathbf{a} ee, \mathbf{e} c, \mathbf{r} de \mathbf{a} eq. \mathbf{e} e c, \mathbf{a} e;
- (4) On $e = e \cdot d$, $d = e \cdot d$, $e \cdot d = e \cdot d$, $e \cdot d = e \cdot d$, $e \cdot d = e \cdot d$.

Article 35

If we explain the based finate by $B = C_{++}$, and B = B are explained as A = A = A. The second explain the based finate based from the state of A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A are explained as A = A and A = A are explained as A = A are explained as A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A. The state of A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are explained as A = A and A = A are exp

 $T_{\ell} \in C_{\ell+1} \text{ , } a_{\ell} y_{\ell}^B \text{ , } a_{\ell}^B B_{\ell+1} \text{ , } a_{\ell+1} \text{ , } c_{\ell+1} \text{ , } a_{\ell+1} \text{ , } c_{\ell+1} \text{ , } c_{\ell+1} \text{ , } a_{\ell+1} \text{ , } c_{\ell+1} \text{ , } a_{\ell+1} \text{ ,$

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Article 36

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Article 38

- (1) Where $C_{i,j}$, $a_{i,j}Bb_{i,j}B$ bach are $a_{i,j}$
- (2) Where Company Bhy B bach are and, cerve walle, a large, e, i.e., come, and a legal be dedicted for we be a balance of done by a be a done of a legal are and a cerve ade. by B back we do a esta diversity of a legal be a dedaced of a legal are and a legal be a dedaced of a legal are and a legal be a dedaced of a legal are and a le
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 - 2. Where we have be had been educated as a cerrie was we had a pressure a firm a be deduced for we be had a cerfd. In about the firm a different face of a decorate was a certain a certai
- (3) The $A_1 = A_2 + A_3 + A_4 + A_4 + A_5 + A_$
 - 1. Ac i , f , e , $h_y Bbac$, $B_{ij} a e_i$;
 - 2. $A_{\mu} = e_{\mu} d_{\mu} = e_{\mu} \dots e_{\mu} a_{\nu} B c_{\mu} \dots a c_{\nu} f_{\nu} = e_{\mu} e_{\nu} c_{\nu} a_{\nu} e_{\nu} f_{\nu} \dots a_{\nu} a_{\nu} e_{\nu};$
 - $3. \qquad Re_i^i \, ea_i \, e_i \, f_{i+1} \quad a_{i,j} B_i \, f_{i+1} \, , \quad b_i^i \quad a_{i+1+1} \, , \quad de \quad a_{i,j} B_i \, e_{i,1} \quad c_i \, a_i \, e_i \, c_{i+1} \, a_{i+1} \, .$

Chapter 5 Financial Assistance for Purchase of Company Shares

Article 39

Article 40

- (1) G f.;
- (3) P. fa_1 , a_2 , c_1 , . . . fa_2 , . . ac_1 , de_1 , de_2 , e_1 , e_2 , e_3 , e_4 , e_5 , e_5 , e_5 , e_6 , e_7 , e_8 ,
- (4) F₁ a₁ c₁ a₂ a₃ a₄ c₂ a₃ b₄ c₄ e f₁ \sqrt{N} e $\sqrt{N$

F. ..e, i, ...e, f... C. a, e, ...e, e, i, de .a e, b, a, ...-, a, ...c, ide ...e, de .a ... fa. b, B., e, b, a... b, B., e, b, a... b, B., e, b, a... ac. ac. ac. a a e, e, ... e, f ceabea d \boxtimes e, e, ... c, b, a... i, de .a e, b, B., e, b, a... d d a \bowtie B. ... \bowtie B. ... e, e, ...) b, B.c. a... f a ca, ... a \bowtie B. ... e \boxtimes a, B.

Article 41

The action and be [N] in a part of the entropy and the entr

- (1) Where $C_{i,j}$, $a_{i,j}B_{j,i}$ denote end of a caparia ce. i. if $B_{i,j}B_{i,j}B_{i,j}$ we be efficiently a $B_{i,j}B_{$
- $(2) \qquad L_{\overline{w}} \underline{\mathbb{N}} \ f_{i_{1}} \ d_{1} ... \ b_{i_{n-1} \ldots n} \ f_{n} \ e \ C_{i_{n-1}} \ , \ a_{i_{1}} \underline{\mathbb{N}}^{n} \ , \ ... \ e \ f_{i_{n-1}} \ ... \ e \ f_{i_{n-1}} \ ... \ f \ d \qquad de_{i_{n}} \ d_{i_{n}} \ ;$

- (5) P. fa_{p} a $b_{p}B$ e C_{pp} , $a_{p}B$ M c_{p} , e f b_{p} . . e e $a_{p}d$ $a_{p}B$ $c_{p}p$ e $a_{p}e$ d $a_{p}B$ d a_{p
- (6) The contact by $B_{**} \in C_{*+}$, $a_{**}B_{*}$ and e_{*+} , e_{*+} ,

Chapter 6 Share Certificates and Register of Shareholders

Article 42

The $C_{i,j}$, $a_{i,j}B_{i,j}$, are in $a_{i,j}$ be the late ed $f_{i,j}$.

The C_{ij} , and B_{ij} and B_{ij} are confidence and C_{ij} and C_{ij} and C_{ij} are confidence and C_{ij} and C_{ij} and C_{ij} are confidence and C

Article 43

The value of case is a be is ed by Box e ease, as ease, as e. Where we is an ease of the ease of the ease of case is a graph of the ease of the ease of case is a graph of the ease of case is a graph of the ease of

Article 44

- (1) The a_{μ} e, add e. $(d_{\mu} c_{\mu})$, ferror a_{μ} e f each a a e f each a e f each a f expression a
- (2) The c_1 and a_1 derived by B each that a_2 derived by B each that a_2 derived a_3 derived a_4 derived a_4
- $(3) \qquad T_{\ell} \ e \ a_{j-1} \ \ \dots \ a \ d \ \ \text{ , a,} Bab_{j} \ e \ f_{\ell} \ \dots \ e \ \ \ell \ a \ e_{\ell} \ \ell \ b_{j} Beac_{\ell} \ \dots \ a \ e_{\ell-1} \ de \ ;$

- (4) $T_{\nu}e_{\perp}e_{\perp}e_{\perp}a_{\mu}$, be $f_{\nu}e_{\perp}a_{\mu}e_{\nu}e_{\mu}d_{\mu}Beac_{\nu}$, $a_{\mu}e_{\nu}e_{\mu}de$;
- (5) The date $\prod_{\alpha} \boxtimes \beta$ cheach that a explicitly define the edge a, a in a explicit a define a

The ellipse of the e

Article 45

Where we have a larger a_i and a_i and a_i are case of we expressed that a_i and a_i are a larger a_i and a_i are a_i are a_i and a_i are a_i are a_i and a_i are a_i a

Article 46

 $T_{\ell} \in C_{\ell, +} \text{ , a }_{\ell} \text{ }_{\beta} \text{ }_{\ell} \text{ }_{\alpha} \text{ }_{\beta} \text{ }_{\beta} \text{ }_{\alpha} \text{ }_{\alpha} \text{ }_{\beta} \text{ }_{\beta} \text{ }_{\alpha} \text{ }_{\alpha} \text{ }_{\alpha$

There is equipped and a_{11} , a_{12} , a_{13} , a_{14} , a_{14} , a_{14} , a_{14} , a_{14} , a_{14} , a_{14}

(1)

- (1) A $_{y}$ B a $_{z}$ fe $_{z}$ $_{z}$ $_{z}$ e $_{z}$ $_{z}$ $_{z}$ e $_{z}$ $_{z}$
- (2) $T_{\ell}e_{\bullet}a_{\bullet}$, $fe_{\bullet}\dots fe_{\bullet}e_{\bullet}\dots fe_{\bullet}B_{\bullet}e_{\bullet}a_{\bullet}e_{\bullet}\dots H_{\bullet}$ a e_{\bullet} , $ed_{\bullet}H_{\bullet}\dots K_{\bullet}$;
- (3) The die a_{μ} , dig Bf_{μ} , and feature a_{μ} and a_{μ} ead B been, a d;
- (4) Rejerant a electrone and incomme electrone declarated echange declarated aby B errors and B errors are also an errors and B errors and B errors and B errors and B errors are also an errors and B errors and B errors are also an errors and B errors and B errors are also an errors and B errors and B errors are also an errors are also an errors are also an errors and B errors are also an errors are also are also an errors are also are also an errors are also are also an errors are also are also are
- $(5) \qquad T \ a_{\text{\tiny α}} \ f \ a_{\text{\tiny α}} B_{\text{\tiny α}} \ a \ e_{\text{\tiny α}} \ a_{\text{\tiny α}} \ e_{\text{\tiny α}} \ a_{\text{\tiny α}} \ f_{\text{\tiny α}} \ a_{\text{\tiny α}} \ f_{\text{\tiny α}} \ a_{\text{\tiny α}} \ a_{\text{\tiny α}} \ b_{\text{\tiny α}} \ b_{\text{\tiny α}} \ a_{\text{\tiny α}} \ b_{\text{\tiny α}} \ b_{$
- (6) The wale concentred are free fray B_1 enter factor from C_{n+1} , a yB_2 ,
- (7) $A_{\gamma}B_{\gamma}$ a e_{γ} a_{j_1} ... be a feed a a_{γ} factor a_{γ} a, e_{γ} ... a_{γ} e_{γ} ... a_{γ} d. a_{γ} d. a_{γ} decore a_{γ} e a_{γ}

State de fay Bf e e. e. a e a B. a fe a a a formation a e. a e a B a fe a a fe a a formation a e. a B for a e e e a a e a B for a e e a dad a fe formation a fe e e a cea a cea a cea a e. The a fe e defined by B for a fe a dad a fe formation a fe e a cea a cea a cea a cea a e. The a fe e defined by B for a fe a fe e a fe e a cea a c

Article 49

Note a legal of the property of the property

Article 50

When we $C_{i,j}$, any $B_{C_{i,j}}$ ends a given and $A_{i,j}$ ends dended and $A_{i,j}$ ends and $A_{i,j}$ and $A_{i,j}$ are according and $A_{i,j}$ ends are an end of $A_{i,j}$ ends and $A_{i,j}$ ends are an end of $A_{i,j}$ ends and $A_{i,j}$ ends are an end of $A_{i,j}$ ends and $A_{i,j}$ ends are an end of $A_{i,j}$ ends and $A_{i,j}$ ends are an end of $A_{i,j}$ ends are an

Article 51

A.y.B., a e., de \boxtimes , ... e ... e e. .. e e. .. e e., de ... e e. .. e, be e. e ed ... e e ... e ... f., a e., de ... e, ce. f ca.e ... e, ec. .. f. c. ... a e. (... e Relevant Shares—) f. ... a e ce. f ca.e (... e Original Share Certificate—)

A,, ca. . . . f. .. e e, ace, e . . . f d., e. . c . . e. ., e. . . . a e ce . f ca.e. . . a, be dea. \mathbb{N} . . . acc. da ce \mathbb{N} . . . e e, e a . , f .. e $C_{i,j}$, a \mathbb{N} BLa

- (1) The a, , call, a, i, b, ..., ea, , call, ..., ef, , ecc bed b, B., e C., , a, Bacc, , a ed b, B a ... a a, ce. f cale ... a ..., Bdec, a a... The ... a a, ce. f cale ... a ..., Bdec, a a... a ..., ecc o, ... a ce a d, ... f f ... e, ... f ... e a e ce. f cale a d a dec, a a ... a ... a ... e, e... a Beree a ... a a ... a e, de ... e., ec. f ... e Ree a ... Sa e;
- (2) The $C_{-\gamma}$, any $B_{-\alpha}$ and every end of each $A_{-\gamma}$ end of each $A_{-\gamma}$ and $A_{-\gamma}$ and $A_{-\gamma}$ and $A_{-\gamma}$ end of each $A_$
- (4) Bef. e, 1 b, e, 1 b, c a ... 1 ce, e ... f e a e, ace, e ... a e ce . f ca.e, ... e C., a, B., a, ... b, ... e a ... be, 1 b, ... ed ... e ... e e c. a e ... e e c. a e ... e e ... be, 1 b, ... ed ... e ... e e c. a e ... e e c. a e ... f a e, Bf., ... e ... e ... e e ... f a e, Bf., ... e ... e ... e ... e ... e ... f a e, Bf., ... e ... e ... e ... e ... a bee, d., a, Bed ... e ... e ... e ... a ... e a ... t ... e ... a bee ... a ... e a ... e ... a ... e ... e ... a ... e ... a ... e ... a ... e ... e ... a ... e ... a ... e ... e ... a ... e ... a ... e ... a ... e ... e ... a ... e ... a ... e ... a ... e ... e ... a ... e ... e ... a .
- (5) U, ... e, yB, f. e 90-daB, e, d., ec f ed. Le, (3) a, d (4) e e f, f. e C, a, ayB, a... ece ed ayB, b ec. ... e... a ce f a e, ace, e... a e ce f ca.e f., ayB, e..., ayB. ... e a e, ace, e... a e ce f ca.e acc. d... e a, ace, e... a e a, ace, e... a e...

- (6) When $A = C_{i,j}$, $A = B_{i,j}$ is a energy end and excentioned and $A = C_{i,j}$, $A = C_{i,j}$, A = C
- (7) A₁ e , e , e , f ... e ca ce ₁ a ... f ... e ... a e ce . f ca e a d ... a ce , f a e , ace ₁ e ... a e ce . f ca e a d ... a ce , f a e , ace ₁ e a ... a e a , Bac. ... e a ...

After $C_{i,j}$, $C_{$

Article 54

Chapter 7 Rights and Obligations of Shareholders

Article 55

 $S_{i}(a) = \{a_{i}, a_{i}, a_$

 $S_{\ell}(a|e_{\ell}) = de_{\ell}(f|e_{\ell}) B_{\ell}(a_{\ell}) + a_{\ell}(e_{\ell}) B_{\ell}(a_{\ell}) + \dots + ed_{\ell}(a_{\ell}) B_{\ell}(a_{\ell}) + fd_{\ell}(e_{\ell}|d_{\ell}) de_{\ell}(d_{\ell}) + de_{\ell}(d_{\ell}) de_{\ell}(d_{\ell}) + de_{\ell}(d_$

Where α is a α is α .

- (1) $T_{c} \in C_{c_{+}}$, $a_{-y}B_{c} \in C_{c_{+}}$, $e_{-c_{+}}$, e_{-
- (2) $A_{||}$ $a \in A_{||}$ de . . $f = a_{||}B_{||}$. $a \in A_{||}$ bea . $e \in A_{||}$. $a \in A_{||}$ ab $|| \cdot e \cdot f||$. $e \cdot f$. $e \cdot$

 I_{α} \downarrow e c q $_{\beta}$ \downarrow a ce $_{\beta}$ f $_{\alpha}$ \downarrow $_{\alpha}$ a e $_{\alpha}$ $_{\beta}$ de $_{\beta}$:

(1) If called fine fine is a ended, he fine is a ended in the second of the called a called a called a called a called a decorate and the called a called a

Article 56

 $H_{-\parallel} de = \{ (f_{\perp}, g_{\perp}), (f_{\perp}, g_{\perp}) \in C_{\perp + \parallel}, (g_{\perp}, g_{\perp}), (g_{\perp}, g_{\perp}) \in f_{\perp + \parallel}, (g_{\perp}, g_$

- $(1) \quad T_{\text{c}} \text{ ecc } \text{ed} \quad \text{de, d, a, d, ...e} \text{, , } \text{f.d}_{\text{c}}\text{...b}_{\text{c}}\text{....} \text{, ...} \text{eba}_{\text{c}}\text{...} \text{f.e}_{\text{c}}\text{r}_{\text{p}} \text{be}_{\text{c}}\text{...} \text{f.a} \text{e., } \text{e}_{\text{d}} \text{d} \text{b}_{\text{p}} B_{\text{c}}\text{...} \text{e}_{\text{p}} \text{; } \text{f.e}_{\text{c}}\text{...} \text{f.e}_{\text{c}}\text{f.e}_{\text{c}}\text{f.e}_{\text{c}} \text{f.e}_{\text{c}}\text{f.e}_{\text{c}} \text{f.e}_{\text{c}} \text{f.e}_{c$
- (2)

- () $\mathbf{a} \in C_{n_{+}}$, $\mathbf{a} \in \mathcal{B}_{n_{+}}$, $\mathbf{a} \in \mathcal{B}_{n_{+}}$
- () c_{c} , B_{c} ,

- (8) One [a, b], de [a, e], [a, d], [a, c], [a,

Where $a_{ij}B_{ij}$ is $d_{ij}e_{ij}B_{ij}$ and $d_{ij}e_{ij}B_{ij}$ and $d_{ij}e_{ij}e_{ij}$ and $d_{ij}e_{ij}e_{ij}e_{ij}$ and $d_{ij}e_{ij}e_{ij}e_{ij}$ and $d_{ij}e_{ij}e_{ij}e_{ij}$ and $d_{ij}e_{ij}e_{ij}e_{ij}$

Article 57

When a half deference a eaccent we fight a complete education and a complete education of the complete education and a complete education of the complete education and a complete education of the complete education and a complete education and a

Article 58

If ... e ..., ... ced, e ..., ... e. ... d. ... fare e ... b, a d ee. ... c. ... a e, e, ... e ... f. ... c. ... f. e c. ... f. e e. ... f. c e e. ... c. ... a e, e, ... f. e e. ... f. e e. ... c. ... f. e e. ... c. ... de ... e. ... de ... e. ... de ... e. ... e. ... de ... e. ... e. ... e. ... e. ... de ... e. ... e.

If we be a define the beautiful economic economi

Article 60

Article 61

 $H_{-1}de$, f , d , $a_{y}B$, a e , f , e C_{-1} , $a_{y}B$, a_{11} , a e , e f ||v||

- (1) C_{\perp} , $B_{\overline{a}} = 1$, $A_{\perp} = 1$,
- $(2) \qquad Pa_{\mu}Bf_{\mu} \quad \omega \ e_{\mu\nu} \ a \ e_{\mu} \ b_{\mu} \ e_{\nu\nu} \ a \ e_{\mu\nu} \ b_{\nu} \ c \quad bed \ a_{\nu} \ d_{\nu\nu} \ e_{\mu\nu} \ d_{\nu\nu} \ f_{\nu\mu} \ b_{\nu\nu} \ c \quad \text{, , }$
- (4) Ca_{\dots} ab e_{\dots} a a_{\dots} a e_{\dots} de a_{\dots} a e_{\dots} de a_{\dots} a e_{\dots} de a_{\dots} a e_{\dots} de a_{\dots} ab e_{\dots} e e_{\dots} a e_{\dots} a e_{\dots} a e_{\dots} a e_{\dots} de e_{\dots} d

A wale will de \mathbb{Z} with above and a every decomposition of \mathbb{Z} and \mathbb{Z} every decomposition \mathbb{Z} , every according to \mathbb{Z} and \mathbb{Z} every decomposition \mathbb{Z} , every decomposition \mathbb{Z} every d

So a extende to B , above we get a the end above B for a extendent of the end above B for a extendent of the end above B and B above B and B are explained above B are explained above B and B are explai

(5) One e_{i} , \vdots b_{j} , e_{i} e_{1} ed b_{j} B_{i} , e_{j} a_{N}^{m} , ad_{j} \vdots a_{i} a_{i} a_{i} \vdots a_{i} a_{i} \vdots a_{i} \vdots

 $S_{a} \stackrel{\text{de.}}{=} a_{1} \stackrel{\text{de.}}{=} a_{2} \stackrel{\text{de.}}{=} a_{1} \stackrel{\text{de.}}{=} a_{2} \stackrel{\text{d$

- (1) Re e , a d ec., . . . , e , , f . . e e, , . . b $_{\parallel}$ $_{\parallel}$ B . . . e be, . . e e, . , f . e $_{\parallel}$ e $_{\parallel}$ C, $_{\parallel}$, $_{\parallel}$ ac, $_{\parallel}$ B,
- (2) A, , . . . a d ec. , e . . . (f. \mathbb{N} . . a . . . e , e be, ef.). de, e . . e \mathbb{C}_{-p} , a \mathbb{N}^B . . , . , e \mathbb{N}^B . a \mathbb{N}^B a \mathbb{N}^B
- (3) A, , , ad ec. , , , e ... (f, , , \boxtimes , a... e, e, ... ', be, ef.), de, e... e ... a e... de. f.. e ... , c, d... b, ... a.d ... , ... , b, ... c, d... e... c, d... f.. e C., , a, B, b, ... ed... a dad, , ed a... e... a e... de. e. e a e... de ... e... a cc. da ce \boxtimes ... e A... c, e... f... e C., , a, B.

Article 63

There $_{\uparrow}$ constants $_{\downarrow}$ de $_{\uparrow}$ end of $_{\downarrow}$ ed $_{\downarrow}$ ed $_{\downarrow}$ ed $_{\downarrow}$ ed $_{\downarrow}$ And $_{\downarrow}$ ed $_{\downarrow}$ and $_{\downarrow}$ are $_{\downarrow}$ and $_{\downarrow}$ and $_{\downarrow}$ and $_{\downarrow}$ are $_{\downarrow}$ and $_{\downarrow}$ and $_{\downarrow}$ are $_{\downarrow}$ are $_{\downarrow}$ are $_{\downarrow}$ and $_{\downarrow}$ are $_{\downarrow}$ are

- $(1) \qquad \text{He, ac.} \ , \quad \underset{\nabla}{\textbf{a}_{1}} \ , \ e \ , \quad \underset{\nabla}{\textbf{c}_{2}} \ , \ e \ , \quad \underset{\nabla}{\textbf{e}_{1}} \ , \quad \underset{\nabla}{\textbf{e}_{2}} \ , \quad \underset{\nabla}{\textbf{e}_$
- (2) He, ac. , a_{μ} , e_{μ} , c_{μ} ,
- (3) He, ac., a_1 , e_2 , c_3 , e_4 , e_5 , e_6 , e_7 , e_8 , e
- (4) He, ac., a_1 , e_2 , c_3 , c_4 , c_5 , c_6 , c_7 , c_8 , c

Chapter 8 General Meeting

Section 1 General Provisions on General Meeting

Article 64

The energy eeth of a between an if and ${}_{_{1}}B$, fine $C_{_{1}}$, and ${}_{_{2}}B$ and ${}_{3}a$ energy eeth energy energy and ${}_{3}a$ and ${}_{4}a$ and ${}_{5}a$ and ${}_{5}a$ and ${}_{6}a$ and ${}_{7}a$ and ${}_{8}a$ and ${}_{8}a$

Article 65

The letter end of the end of the

- (1) Dec de $\cdot \cdot \cdot$ e \cdot , e a_1 , a_2 , a_3 , a_4 , a_5 , a_8 ,
- (2) E_i ec. a_i d_i e_i a_i a_i d_i e_i a_i $a_$
- (3) Re e^{\square} a, da, , e.e., e., f., eb, ad, fd ec., ;
- (4) Re e^{\boxtimes} a da, , e e e e, . . . $f \cdot e b$ a d f i , e . . . ;
- (5) Re $\underset{\nabla}{\mathbb{R}}$ a, da,, e.e. e a, i a f, a, c a b d e. a, df, a acc. i, ..., f. e C_{-1} , a, y, B,
- (6) Re $e_{\alpha}^{\mathbb{N}}$ $a_{\alpha} d_{\alpha}$, $e_{\alpha} e_{\beta} e_{\beta}$, $f_{\alpha} d_{\alpha}$, $h_{\alpha} e_{\alpha} e_{\beta}$, $h_{\alpha} e_{\beta}$, $h_{\alpha} e_{\alpha} e_{\beta}$, $h_{$
- (7) Dec de (a_1, a_2, c_3) ed (a_1, a_2, c_3) ed (a_2, a_3, c_4) ed (a_1, a_2, c_3) ed (a_2, a_3, c_4) ed (a_3, a_4, c_4)
- (8) Dec de x_{ij} e e, d x_{ij} , x_{ij} d x_{ij} , y_{ij} i da. x_{ij} c, a, y_{ij} , e C, y_{ij} , a, y_{ij} ,
- $(9) \qquad \text{Pa.} \quad \text{e.} \quad \text{o.} \quad \text{o.} \quad \text{o.} \quad \text{o.} \quad \text{o.} \quad \text{a.} \quad \text{ce.} \quad \text{f.b.} \quad \text{d.} \quad \text{o.} \quad \text{o.} \quad \text{o.} \quad \text{f.a.} \quad \text{e.} \quad \text{e. eq.} \quad \text{e. e.} \quad \text{b.B.} \quad \text{e. C.} \quad \text{p. a.y.B.}$
- $(10) \quad Pa_{\text{tot}} \quad e_{\text{tot}} \mid \text{i.e.} \quad \text{or} \quad e_{\text{tot}} \mid \text{j.e.} \quad \text{or} \quad e_{\text{tot}} \mid \text{j.e.} \quad \text{or} \quad \text{or} \quad \text{j.e.} \quad \text{$
- $(11) \quad A_{_{||}} \ e_{_{||}} \ d_{||} \ , \ A_{_{||}} \ c_{_{||}} \ e_{_{||}} \ , \ f_{_{||}} \ A_{_{||}} \ , \ c_{_{||}} \ a_{_{||}} \ , \ ;$
- (12) Re $\stackrel{\boxtimes}{\otimes}$ a da, , e.e.e.e.a raa.ee.a ee. fe $\stackrel{\boxtimes}{\otimes}$ c. a be e $\stackrel{\boxtimes}{\otimes}$ eda...e e.e.a ee. a ee. a e.c. bed a.c.e.a ce. fA...ca.;
- $(14) \quad Re \quad \underset{\nabla}{\text{ee}} \quad a_{\text{\tiny L}} \ d_{\text{\tiny L}} \ , \quad \text{e. } \quad e_{\text{\tiny L}} \ a_{\text{\tiny L}} \ e_{\text{\tiny L}} \ , \quad a_{\text{\tiny L}} \ e_{\text{\tiny L}} \ f_{\text{\tiny L}} \ a_{\text{\tiny L}} \ ed \ f_{\text{\tiny L}} \ , \quad d_{\text{\tiny L}} \ ;$
- (15) Re $\underset{\nabla}{\text{e}} \boxtimes$, a e , ce, e, a_{e} ;
- (16) Re $\stackrel{\text{\tiny EM}}{\nabla}$, ., ., ., $\stackrel{\text{\tiny a}}{a}$, ., ., ., $\stackrel{\text{\tiny d}}{a}$, ., ., ., $\stackrel{\text{\tiny d}}{a}$ e, e, e, e, e, e, e, ., ., ., e, f., e C., , a, yB., a e, ;

(17) Re e^{\boxtimes} ... e^{-} a... be a, , ed a... e^{-} e e^{-} a, ec bed b^{\square} ... e^{\square} e^{\square} , a^{\square} , a^{\square} , ... a. e^{\square} e^{\square} a... , de, a., e. e^{\square} e^{\square} ... e^{\square} e^{\square} ... e^{\square} e^{\square} ... e^{\square

Article 66

 $T_{\ell} \in f_{\ell+1} \setminus \mathbb{Z} = \{e_{\ell} \mid e_{\ell} \mid e_{\ell} \mid e_{\ell} \mid e_{\ell} \mid f_{\ell} \mid e_{\ell} \mid e_{\ell} \mid f_{\ell} \mid e_{\ell} \mid e_$

- (1) A y Be .e , a_1 , a_2 , e by B c C_{n_1} , a_2 y B B c b d a_3 B a_1 d a_2 y B a_1 b a_1 e . . . a_2 a a_2 a_3 a a_4 a_4 b a_5 B a_5 a d .ed a_5 c a_5 a d .ed a_5 c a_5 a d .ed a_5 c a_5 c a_5 a d .ed a_5 c a_5
- (3) T_{i} , de i a a .ee., e...e., $\mathbb{Z} ...$, e... a. 70% deb. e..., $\mathbb{B} a_{i}$;
- (4) A . . $_{1}$ e $_{1}$ a $_{2}$. . $_{2}$ e $_{3}$. . . $_{4}$ e $_{5}$ e ceed. 10% . f . . e $_{1}$ a.e . . a d . ed . e. a . e. . ;
- (6) One is a see [a, c, a] be, a sed and element as, esc bed by [a, c] can be called a [a, b] and a element [a, b] and [a, b] and [a, b] are an element [a, b] and [a, b] are an element [a, b] and [a, b] are an element [a, b] are also as [a, b] and [a, b] are also as [a, b] are also as [a, b] and [a, b] a

Article 67

Article 68

The energy eeth of a plant and energy eeth of a density and energy eeth of a density and energy eeth of the energy eeth of the

Article 69

The board of diece is a sign of a graph of the energy Board of th

- (2) $T_{\nu}e_{\mu\nu}$, $e_{\nu\nu}e_{\nu\nu}$, $e_{\nu\nu}e_{$
- (3) So a example \mathbb{Z} and $\mathbb{Z$

- (4) W, e, e e ., e b, a d, f d ec., c, de ., ece., a_yB_x
- (5) $W_{\ell} e_{\ell} ... e_{\ell} b_{\ell} a d_{\ell} f_{\ell} I_{\ell} e_{\ell} ... e_{\ell} ... e_{\ell} a_{\ell} ee_{\ell} ;$
- (6) One confinal cere end by B we and A and A and A and A are end as A and A are A and A are A and A are A and A are A are A and A are A ar

The energy date energy early fine C_{c_+} , $a_{c_+}B_{c_+}$ and $b_{c_+}B_{c_+}$ and $b_{c_+}B_{c_+}$ and $b_{c_+}B_{c_+}$ and $b_{c_+}B_{c_+}$ are energy early as $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ are energy early as $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ are energy early as $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ are energy early as $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ are energy early early as $a_{c_+}B_{c_+}$ and $a_{c_+}B_{c_+}$ are energy early early

The energy eeth of a energy and be replaced by ending the energy B_{α} and B_{α} and B_{α} and B_{α} are energy B_{α} are energy B_{α} and $B_$

Section 2 Proposing and Convening of General Meeting

Article 71

If ω e b, a d, f d, ec., a ee., c, e, e., ee., a d, a ω e.e., ω e.e., ω a, ω e.e., c, f, e, e, a ω e.e., ω a, ω e.e., ω a, ω e.e., a ee., c, e, e, a e., a, d, a ω e.e., a ee., c, e, e, a e., a, d, a ω e.e., ω e.e., ω e.e., ω e.e., a, ω e.e., a,

Article 72

The blad of the end of each of each of a ${}_{N}B$ end of each of each of each of a decomposition of the end of each of each

If ... e b, a d, f d ec., a ee, c, e, e, e., ee, a, d, a, B e, e a, ee, ..., a, ..., a, ..., ea, ... ce, f e, e a, ee, ..., ... be a eed b, B., e b, a d, f, r, e

- (2) If ... e b a d f d ec., a ee., c., e e a e a d a ... B e e ... c ... c ... e., ... a ... e dec., ... A ... B c a e ... a dec., ... a e ... e ... a e ... e e e a ... be a eed b B. e e e a ... a e ... de ...
- (3) If we boad of decound a eero cone endeer and ay Benear eero cone eero, decound day Benear eero, decound day Boar eero, for each a confidence decound day Boar ere ero each ender a document and ay Benear ero con a confidence day Benear eero confidence day and confidence day and
- (4) If we boad of the end a second second element a disay Belean the end of a period of a control of a contro

Article 74

Where we be a define the second and the content of the content of

Section 3 Proposals and Notices of General Meeting

Article 75

Article 76

When a energy eet and edup B_{**} e C_{**} , and B_{**} end and $B_{$

State, de \boxtimes , de dia $_{N}$ B, a este side e a a 3% five sate if $_{N}$ e C_{N} , a $_{N}$ B, a $_$

E ce, f c α_{+} .a, ce, , ded . .. e ab, e, a a a, , , .. e c, . e, e, e, e, afte ce, f ... e e e e, e, ., ... a... a... ce, f e, e a, $_{+}$ ee. . . . add $\stackrel{\text{e}}{\boxtimes}$, ., ... a...

Article 77

Where a let a_1 a_2 a_3 a_4 a_5 a_5

When $ca_{j}a_{j}a_{j}$, we have $a_{j}a_{j}$ and $a_{j}a_{j}$ expressed as $a_{j}a_{j}$ even $a_{j}a_{j}$ and $a_{j}a_{j}$

Article 78

The product of a region $a_{1,1}$ ee. The $a_{1,1}$ ee. The $a_{1,1}$ ee. The $a_{1,1}$ equation $a_{1,1}$

- (1) ... a_{11} be ade \square ...;
- (2) ..., a_{\parallel} , $e \in fB$., e_{\parallel} ace, da.e a.d., $e \in f$., e_{\parallel} ee.;
- (3) a_{11} , e_{12} , e_{13} , e_{14} , e_{15} ,
- (4) S, ec $f_{ij}B$. e , a e, d . ec. d date f_{ij} , a e, d e g , a e e, e d . e g e e. ;
- (5) I. ... a de ... e ... a e ... de ... e ... f ... a de , a a ... ece ... a Bf ... e ... a e a e de ... e ... be d ... e ... t ... , ... e ... e ... a a, ... e e ... a a, ... e e ... a ... e e ... c ... a ... a ... e e ... c ... a ... a ... e ... a ... a ... a ... a ... e e ... a ... a ... e e ... a ... a ... a ... e e ... a ... a ... e ... a ... e ... a ... e ... e ... a ... a ... e ... e ... e
- (6) A $_{y}$ Bd ec., $_{x_{1}}$, $_{y_{1}}$ e $_{x_{2}}$, $_{y_{1}}$ a $_{x_{2}}$ e $_{y_{1}}$ a $_{x_{2}}$ e $_{y_{2}}$, $_{y_{2}}$ a $_{y_{2}}$ e $_{y_{2}}$ e $_{y_{2}}$ a $_{y_{2}}$ e $_{y_{2}}$ e
- (7) I. .. a_{\parallel} c_{\perp} ... a_{\perp} ... e f a_{\parallel} pB_{\perp} , e a_{\parallel} e_{\perp} pB_{\perp} , e a_{\parallel} e a_{\perp} pB_{\perp} , e a_{\parallel} e a_{\perp} pB_{\perp} pB
- (9) I. .. a_{\parallel} ... a.e. $e._{\parallel}$ $e._{\parallel}$ $ace._{\parallel}$ $ace._{$
- (10) I. . , a_{\parallel} , .a.e., e_{\parallel} e a, d.e, e_{\parallel} , . ., e_{\parallel} , be \parallel f., e c. ., ac., e . . ., \mathbb{N} , , a, d, e, .., e_{\parallel} ee. . affa . .

Article 80

If $a = e_1 = a_1 + e_2 + \dots + a_{||} = a_1 + a_2 + \dots + a_{||} = a_1 + \dots + a_{||} = a$

- (1) Pe ... a_{j} , $a \cdot a_{j}$ a ... c_{j} a ... ed ca... bac ... d_{j} \boxtimes ... e , e e ce a d ... e a, ... e_{j} e...;
- (2) When end a particle end end of \mathbb{R}^n with \mathbb{R}^n and \mathbb{R}^n and \mathbb{R}^n and \mathbb{R}^n and \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n are \mathbb{R}^n and \mathbb{R}^n and \mathbb{R}^n
- $(3) \qquad T_{\star} \, e_{+} \, r_{+} \, be_{-} \, r_{+} \, f_{+} \star a_{-} \, e_{-} \, r_{+} \, f_{-} \star e_{-} \, C_{r_{+}} \, , \, a_{\star} \, p_{\star} \, e_{+} \star e_{+} \, e_{+} \, d;$

(4) When $e \rightarrow e/$, $e \rightarrow 1$ because $a_1 y B$, $a_2 \rightarrow 1$ expression $a_1 y B$ constants $a_2 y B$ and $a_3 c a_4 c a_5 c a_5 c a_5 c$ expression $a_1 c a_2 c a_5 c$ expression $a_2 c a_3 c a_5 c$ expression $a_1 c a_2 c a_5 c$ expression $a_2 c a_3 c a_5 c$ expression $a_3 c a_5 c a_5 c$ expression $a_4 c a_5 c a_5 c$ expression $a_5 c a_5$

Each call date if diec. In , e in , a be id dia $_{10}^{10}$ B, in ed.

Article 81

N. ce f e e a pech a pech a pech a pech a pech a constant a pech e each a pech a constant a pech e each a pech a constant a pech a ce a e each a pech a ce a e each a e pech a each a e

The, ib calling cere ended and ended and a series of the end of t

Article 82

Af.e ... a ce f... e ... ce f... e e e a $_{\parallel}$ ee. ... , ... e e e a $_{\parallel}$ ee. ... a $_{\parallel}$... be $_{\parallel}$... da $_{\parallel}$... l. ca e f de $_{\parallel}$ B $_{\parallel}$ ca ce $_{\parallel}$ a... $_{\parallel}$... e c... e e $_{\parallel}$ a e a $_{\parallel}$ b c a ... ce $_{\parallel}$ e... e $_{\parallel}$ $_{\parallel}$ 2 da $_{\parallel}$ befer e ... e d ed da.e, ... e ... e $_{\parallel}$ e , e c bed $_{\parallel}$... $_{\parallel}$ e f.. e $_{\parallel}$ e ... e $_{\parallel}$ e $_{\parallel}$ e a $_{\parallel}$).

Article 83

The accidence a_{μ} and a_{μ} end $a_$

Section 4 Convening General Meeting

Article 84

 $A_{xy}B_{x,y}$ a explored and chean a energy equation $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ and $A_{xy}B_{x,y}$ are $A_{xy}B_{$

 $S_{i}(c_{\ell})_{i,j} = e_{\ell,j}(a_{j}Be(e(c_{\ell},e_{\ell}),e)f_{\ell}) \underbrace{\boxtimes}_{i,j} = \dots, \underbrace{\exists}_{i}(a_{\ell},e_{\ell+1})_{\ell}.ed(b_{j}B_{\ell},e_{\ell})_{\ell} a(e_{\ell},e_{\ell})_{\ell} de:$

- (1) The material de' is the energy de' is the energy de' and de' is de' in de' and de' is de' in de' in de' is de' in de' in de' in de' in de' in de' in de' is de' in de
- $(2) \qquad T_{\prime} \ e \qquad , \ldots \ de_{_{\parallel}} \ a_{_{\parallel}} \ d \ b_{_{\parallel}} B_{\prime} \ _{_{\parallel}} \ . \ e_{_{\parallel}} f \ , \qquad \ldots \ e_{_{\parallel}} \ , \qquad e_{_{\parallel}} \ , \qquad de_{_{\parallel}} \ a_{_{\parallel}} \ d \ , \qquad a_{_{\parallel}} \ . \ _{\parallel};$

(3) $U_{1} = 0.000 = 0.000 = 0.000 = 0.000 = 0.000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.0000 = 0.00000 = 0.0000 = 0.0000 = 0.00000 = 0.00000 = 0.00000 = 0.00000 = 0.00000 = 0.00000 = 0.00000 = 0.00000 = 0.00000 = 0.00000 = 0.000$

Article 85

Article 86

The sum of each of ea

- (1) $Na_{r} e f \cdot e_{r} \cdot yB;$
- (3) If d ca. . . , f c₁ . , e ec. . . . ab . e . . . c . c e ac . e ac . . a . . a . . e e a e a e a e a a e a as
- (5) S and $e(a_1, e_2)$, $f \cdot e_1$, e_1 , e_2 , e_3 , e_4 ,
- (6) S, ec f_iB_i ... e_{i+1} be if if a e. e, e.e. ed b_iB_{i+1} c., b_iB_i
- (7) If $_{\parallel}$, $_{\parallel}$ e., $_{\parallel}$ a, $_{\parallel}$, $_{\parallel}$ ed, $_{\parallel}$ e., $_{\parallel}$ e., $_{\parallel}$ be $_{\parallel}$ for a encode by B each, $_{\parallel}$ be $_{\parallel}$ ecc. $_{\parallel}$ e.

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Where we have a substituting a substitution A_{μ} and A_{μ} and A_{μ} and A_{μ} and A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ} are enough as A_{μ} and A_{μ} and A_{μ

Article 88

The analysis as the second of the second of

Article 89

Where we exist the property of the energy o

Article 90

Article 91

When $A = \{a_i, a_j, a_i\}$ ended each $A = \{a_i, a_j\}$ ended each $A = \{a_i, a_j\}$ ended each $A = \{a_i, a_j\}$ and $A = \{a_i, a_j\}$ ended each $A = \{a_i, a_j\}$ ended eac

Article 93

The energy eet of a become education and ended to be a distribute of a control of the bound of distribute of the bound of the boun

If $a = e = a_1 + e = \dots$ c. $e = ed = b_0Bb$, $a = d_1f_1$, $e = \dots$, e = c, $a_1 = a_1$, e = b, $a = d_1f_1$, $e = \dots$, $a_1 = a_1$, $a = a_1$, a = a

If a e, e a, ee. . . . c, e, ed b, B, e, a e, de, . . e, e, e, e, .. e c, e, e , \mathbb{Z}_{n} , a.e a e, e, e, e. . a. e . . c, d c. . e, e ee. . . If f, a, B ea, . . . e, a e, de, a e, ab, e, e, ec, a c, a, a, .. e a.e, da, . . a e, de, de, a e, de, e, e, .. b, B, . , B), a, a, e, de, e .. e, ee. . .

Article 94

Article 97

The chain and fine f element f, f element f and f element f are also denoted and f element f are also denoted and f element f are also denoted and f element f el

Article 98

The energy energy a_{jj} and a_{jj} are produced by B_{jj} energy B_{jj} and a_{jj} and a_{jj} and a_{jj} are a_{jj} and a_{jj} and a_{jj} are a_{jj} and a_{jj} and a_{jj} are a_{jj} are a_{jj} and a_{jj} are a_{jj} a

- $(1) \qquad T_{\scriptscriptstyle \parallel} \ e, \quad e_{\scriptscriptstyle \parallel} \ i \ e \ a_{\scriptscriptstyle \parallel} \ d \ a \ e_{\scriptscriptstyle \parallel} \ d a \ , \ f_{\scriptscriptstyle \parallel} \ e_{\scriptscriptstyle \parallel} \ e_{\scriptscriptstyle \parallel} \ , \quad a_{\scriptscriptstyle \parallel} \ d \ , \ a_{\scriptscriptstyle \parallel} \ e_{\scriptscriptstyle \parallel} \ , \ f_{\scriptscriptstyle \parallel} \ e \ c_{\scriptscriptstyle \parallel} \ , \quad e_{\scriptscriptstyle \parallel} \ e \ ;$
- (2) The a_p e f be e_p each characteristic and a_p e a_p e
- (3) The problem of the end of the control of the c
- (4) The process of $e \in \mathbb{Z}$ and $d \in Q$ and $d \in Q$
- $(5) \quad S_{\ell} \ a \ e_{\ell-1} \ de_{-1} \ i \ e_{n-1} \ \ldots \ a_{\ell} \ d \ c_{\ell} \quad e_{n-1} \ d \ \ldots \ e_{n-1} \ a_{\ell} \ a_{\ell-1} \ \vdots \ e_{n-1} \ a_{\ell-1} \ a_{\ell-1} \ a_{\ell-1} \ \vdots \ e_{n-1} \ a_{\ell-1} \ a_{\ell$
- (6) $Na_{\mu} e_{\mu} f_{\mu} e_{\nu} f_{\mu} e_{\nu} e_{\mu} f_{\mu} e_{\nu} e_{\mu} f_{\nu} e_{\mu} e_{\nu} f_{\nu} e_{\nu} e_{\nu} f_{\nu} f_{\nu} e_{\nu} f_{\nu}$
- (7) One c_1 , e_2 , e_3 , be c_1 ded a_2 , ecfed a_3 , c_4 , c_4 , c_4 , c_5 , c_6 , c_4 , c_4 , c_4 , c_5 , c_6 , c

Article 99

The content a_{ij} end end and a_{ij} end a_{ij} e

Section 5 Voting and Resolutions at General Meetings

Article 101

 $O(d)(a_{1})B(e_{1})(a_{1})(a_{1})(a_{2})(a_{1})(e_{1})(a_{2})(e_{1})(a_{2})(e_{1})(a_{2})(e_{1})(a_{2})(e_{2})(a_{2})(e_{2})(a_{2})(e$

 $S, \ ec\ a_i \ e_{i-1}, \dots, \ a_i \ a_i \ e_i \ e_{i-1}, \dots, a_i \ a_i \ e_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \ d_i \ b_i \ e_{i-1}, \dots, a_i \ e_i \$

Article 102

So a let e_i d h, B_i e_i C e_i , a_i y B d e_i . Call y B e_i . And a_i e_i e_i

Sibec... a d c...d.... a, i,... c., , a ce \boxtimes ... a, , cabe $a\boxtimes$, e i a... a d/. e i e, e... f. e i... i e... f. e ace \boxtimes e e... e C., , a B ... a e a e i... e b. a d fd ec..., de, e de d ec... a d ... e i... a e f., c. f ... e f. a e f., c. f ... e f. e f., e f.,

When we end a period dense and a period and

Article 103

 $V_{\text{cons}} = a_{\text{cons}} = a_{\text{pos}} = a_{\text{pos}} = e_{\text{cons}} = \left[\begin{array}{ccc} M & \text{e.s.} \\ W & \text{old} \end{array} \right] = e_{\text{cons}} = \left[\begin{array}{ccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old} \\ A & \text{old} \end{array} \right] = \left[\begin{array}{cccc} A & \text{old}$

Article 104

When a_i, i_{i_1} has enable a_i, a_i and a_i define a_i, a_i define a_i, a_i and a_i and a_i define a_i define a_i and a_i define a_i dexpression a_i define a_i define a_i define a_i define $a_$

Article 105

When we find be in finded a data and a endiable in end a, we call a_{μ} and f_{μ} every a_{μ} be endiable endiable and a_{μ} and a_{μ} and a_{μ} be endiable endiable endiable.

A f ... e, \mathbb{N} e ... be e e c .ed b, \mathbb{B} ... e e e a

Article 107

A f ... e, Me .. be e e c ed b, B.. e e e a e e. f. a e. de ., i.c. e a e. i., a a a, ... (7), (8) (9), (11), (13) a d (15) . A . c e 63 ... a.. e e e ed b, B.. e a e e. b, B. d a, B. e e a e e. b b. d a, B. e a ed b, B.. e e e a e. b b. d a, B. e a ed b, B.. e a ed b, B.. e a ed b, B.. e a e e. i. ... a be a ed b, B.. e a e e. i. ... a a e e a e. i. ... a be a ed b, B.. e a e e. i. ... a a a, ... (16) ... a e ... e ... e ... e ... a a a, ... (16) ... a e ... e ... e ... e ... e ... a a a, ... e ... e ... a a c.. e ... a c... e ... a c.. e

Article 108

The chair and first energy elements and be enough be enough be finded discontinuous energy energy as been and each Hookest that a graph be find and discontinuous and each decoration and

Article 109

If ... e ... a ... f ... e ... e. ... f ... e ... f ... e ... a ... f ... e d a.e. Bafe ... c ... f ... e ... e ... f ... e ... e ...

Article 110

If $c_{11} \dots c_{n} = c_{n} + c_{n} = c_{n} =$

Article 111

 $S,ae, \ de, \ aBe, \ e, \ e, \ e, \ e, \ f, e, \ f, e, \ f, ee, \ d, \ ee, \ e, \ e, \ g, B', \ ffce, \ f, ee, \ f, ee$

Chapter 9 Special Procedures for Voting at Class Meeting

Article 112

 $S_{\ell}(a) = \{ c_{\ell}(a) = c_{\ell}(a$

Article 113

The Company Bond and the conditions are the conditions of a condition of a condi

Where a B characteristic A characteristic A

Article 114

- 1. a_{i} , c ea, e_{i} , d dec ea, e_{i} , e_{i} , e
- 3. $a_i e_{i_1} \cdot a_{i_2} \cdot e_{i_3} \cdot c_{i_4} \cdot c_{i_4} \cdot c_{i_5} \cdot c_{i_5}$
- 4. a ed c. . . . e, e, a, f a d de d, efe e ce, , . , e ${}_{9}Bd$. b. . . , efe e ce d . , i da. f . e $C_{r_{1}}$, $a_{r_{2}}B$, a. ac, ed . . . , a e, f . i c, c a . . ;
- 5. a_1 add a_2 , e_1 , a_1 , e_2 , a_3 , e_4 , a_4 , e_5 , e_6 , e_7 , e_8 , e

- 6. $a e_{p}$, a_{p} , $ed_{p} c_{p}$, f_{p} , $ece_{p} e_{p}$, ece_{p} , $ece_$
- 8. a_{i_1} , ..., f_{i_2} , a_{i_3} , a_{i_4} , a_{i_4} , a_{i_5} , a
- 9. a_{i_1,i_2,i_3} a_{i_1,i_2} a_{i_2,i_3} a_{i_1,i_2} a_{i_2,i_3} a_{i_3,i_4} a_{i_1,i_2} $a_{i_1,$
- 10. a_{i} , c ea, e , ω e \rightarrow , a_{i} d , e e, f ω a e_{i} , f a_{i} , ω e e a_{i} a_{i} ;
- 11. $e_{i-1} c_{i-1} = f_{i-1} e_{i-1} c_{i-1} + g_{i-1} B_{i-1} C_{i-1} + g_{i-1} B_{i-1} C_{i-1} + g_{i-1} C_{i-1} +$
- 12. $a_{xy}Ba_y$ e_xd_y e_x . $ca_x ce_{yy}a_x$, f_x , e_y , \dots , f_x , e_x .

 $T_{i} e \cdot e_{i} = \{ e \cdot e_{i} \cdot e_{i} \mid e_{i$

- 1. $f \cdot e \cdot C_{+}$, $a \cdot y \cdot B$, $a \cdot p$ ade a.e. $de \cdot e \cdot f \cdot f \cdot e \cdot a$, $e \cdot a \cdot p \cdot e \cdot a$, $e \cdot p \cdot a$, $e \cdot p \cdot a$ and $e \cdot p \cdot a$. $e \cdot p \cdot a$ and $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ and $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ and $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ and $e \cdot p \cdot a$ are $e \cdot p \cdot a$ and $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ are $e \cdot p \cdot a$ are $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ are $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ are $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ are $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ are $e \cdot p \cdot a$. $e \cdot p \cdot a$ are $e \cdot p \cdot a$.
- 2. $f \rightarrow e C_{r_{+}}$, $a_{r_{+}}B$, $a_{r_{+}}b$, $a_{r_{+}}b$, $a_{r_{+}}e$, $a_{r_{+}}B$, $a_{r_{+}}e$, $a_{r_{$

Article 116

When we C_{ij} , $a_{ij}B$ is an index of a constant a_{ij} and $a_{ij}B$ is an element $a_{ij}B$ is an element $a_{ij}B$ and $a_{ij}B$ is an element $a_{ij}B$ and $a_{ij}B$ is a constant $a_{ij}B$ and a_{ij

Article 118

 $T_{e_{+}} \cdot ce_{+} f_{e_{+}} \cdot ae_{+} \cdot f_{e_{+}} \cdot ae_{+} \cdot de_{+} \cdot ae_{+} \cdot de_{+} \cdot e_{+} \cdot ae_{+} \cdot de_{+} \cdot e_{+} \cdot ae_{+} \cdot e_{+} \cdot e$

The, cedire facally eether a_{\parallel} , where e.g., by e, be deleta, when cedire face e and e.g., cedire face e and e.g., cedire face e.g., and e.g., and e.g., cable acally eether face e.g., and e.g., cable acally eether eether.

Article 119

The linear equation a_1, \ldots, a_n and $a_n \in A_n$ and $a_n \in$

- (1) Where Complay Bulled decree end are and eneal head for every a evil, and any Bulled decree ends are and eneal head for every Bulled decree ends are and eneal for every and are and eneal head for every are and are and eneal head for every are and are and eneal head for every are and are and are and eneal head for every are and are and are and eneal head for every are and are and are and are and are are also are are also are also are and are are also are also
- (2) Where $C_{i,j}$, $a_{i,j}B_{i,j}$, $a_{i,j}$, $a_{$

Chapter 10 Party Committee

Article 120

The Company Borage above end and a end of the company Borage and a end of decompany Borage end and a end of decompany end of

The ingle beautiful free eaglighted as B and C and B and C and B and C and B and C are C C and C are C are C and C are C are C and C are C and C are C are C and C are C are C and C are C and C are C are C and C are C an

Article 121

The Pa $_{\mathbf{q}}BC_{\mathbf{q}}$ and the $C_{\mathbf{q}}$ and $C_{\mathbf{q}}$ and

- (1) The sheard of the serve which is a specific ending the standard of the sta
- The address we proceed the engage enders and the enders are enders, enders and enders are enders and the enders and the enders and the enders are enders are enders and the end and the enders are enders are enders and the end and the end are enders are enders are enders are enders and the end are enders are enders and the end are enders and the end are enders and the end are enders are enders are end and the end are enders are enders are enders are enders are end and the end are enders are enders are enders are enders are end and the end are enders are enders are enders are enders are end and the end are enders are enders are enders are enders are end and the end are enders are enders are enders are enders are end and the end are enders are ended and the end are ended and the end are ended and the end are end are end are end and the end are end are end are end and the end are end and the end are en
- (3) The definite $C_{-\frac{1}{2}}$, and $C_{-\frac{1}{2}}$ are an entire $C_{-\frac{1}{2}}$, and $C_{-\frac{1}{2}}$ are an entire $C_{-\frac{1}{2}}$ and $C_{-\frac{1}{2}}$ are $C_{-\frac{1}{2}}$ and $C_{-\frac{1}{2}}$ are $C_{-\frac{1}{2}}$ and $C_{-\frac{1}{2}}$ are $C_{-\frac{1}{2}}$ and $C_{-\frac{1}{2}}$ are $C_{-\frac{1}{2$
- (4) T. a e fi e, ... b B. c, e e e e B. e ... e Pa B. d.c, e, ead. e C., a B. d.c, a B. d.c, e, ead. e C., a B. d.c, a e c ... a & e. a.c. a & e. a.c.

If deleting the standard of the control of the con

Article 123

Chapter 11 Board of Directors

Section 1 Directors

Article 124

D ec. ... a be e ec. ed b, B., e e e a e ec. . a d e e a e e f. . ee, Bea f. eac. .e. ... A d ec. ... a, B. e e c. ... eq. ... e e e. ... B. f. ... e e, ... e \mathbb{Z} ... e. ... e \mathbb{Z} ... e. ... e \mathbb{Z} ... e. ... e \mathbb{Z} ... a ed b, B., e e e a ... a d e f., e ... e \mathbb{Z} ... e e ... e \mathbb{Z} ... a e a e ... ed.

Ad ec., '.e, fee cec, ec. f., ... eda. e.a. e.a., ... ea, ..., e.a., ..., e.a., ... eq. e.a. e.g. fee cec, fe. b.a. e\mathbb{B} dec. ... ed. ... fee cec, e.b.a. e\mathbb{B} dec. ... ed., ... ed., ... ed., ... ed. ec., '.d.e. acc, d'... eq. a\mathbb{B}, ad, ... ed., ... e.e., e.a., de, a., e.a., e.a

 $A \ d \ ec.$, eed. , , be , a e. , de , f., e $C_{\rm c.p.}$, $a._yB$

Article 125

- (a) ac., e., Ba, d., d., d., d., e., e., e., e., e., e., a., Ba, a., a.,
- (b) ac. f., , e, i, , e;
- (c) be $e_{a_1} \dots b_{a_n} e_{a_n} \dots e_{a_n} e_{a_n} f_{a_n} \dots e_{a_n} f_{a_n} \dots f_{a_n} e_{a_n};$
- $(d) \qquad a \ , \ d \ ac_4 \ a_1 \ a_2 \ d_3 \ , \ .e_6 \ . \ a_1 \ c_6 \ , \ f_1 \ c_6 \ . \ , \ f \ , \ .e \ e_6 \ . \ a_1 \ d \ c_6 \ , \ f_1 \ c_6 \ . \ , \ d_{\ \ p}B;$

- (e) $d \cdot c_1 \cdot e f_{i_1 i_2 i_3} B a_i d f a_{i_2 i_3} B_{i_1 i_2 i_3} e e_{i_1 i_2 i_3} c_{i_1 i_2 i_3} a c_{i_1 i_2 i$

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Article 127

Article 128

Ad ec., $_{\parallel}$ $_{\parallel}$

If ... e ... be ... for e d ec. ... far be ... when ... and Be ... dec. ... dec. ... dec. Be ... dec. ..

Sa ef. we conjugate efe ed., we, eced, as a a, , , we dec. 's e. , as a eleffect, , , dej. e.g. B_{i} f. where A_{i} is e.g. A_{i} is elefted.

Article 129

When ad ec. 'e. a. ... a energies. The proof of ec. ... a proof of expectations and expectations and expectations are expected as a substitution of expectation and expectations. The proof of expectations are expected as a substitution of expectation and expectations are expected by the expectation of the expectation of expectations are expected by the expectation of the

Article 130

I. we able cell for ecf call with A. cell for A. call ellipse and for eclipse bead of declipse declipse and actions and actions a capacity B. becaffine C. a. B. we bead for eclipse bead of declipse when a declipse ellipse bead of declipse ellipse bead of declipse ellipse ellipse ellipse bead of declipse ellipse ellip

If a d ec. b eacher we away, administration, dependently, dependently, and equal to the ending of t

Section 2 Independent Directors

Article 132

The Company Box and a condense decorate decorat

Article 133

Note that the control of the control

 $A_{-1}ea_{-}\ldots e_{-1}f_{-}e_{-}e_{-}de_{-}e_{-}de_{-}d_{-}ec_{-}\ldots f_{-}e_{-}e_{-}a_{-}y^{B}\ldots a_{-}y^{B}\ldots a_{-}y^{B}e_{-}d_{-}e_{-}H_{-}\ldots K_{-}\ldots K_{-}\ldots K_{-}$

Article 134

Article 135

Article 136

Section 3 Board of Directors

Article 137

 $T_{\ell} \in C_{\ell, \ell} \text{ , a.y.} B_{\ell, \ell} \text{ a.j. , e.i. , a.b. a.d. } f.d. \text{ ec., } I_{\mathfrak{A}} \mathbb{Z}_{\ell} \text{ c. , ... a.j. be acc., } I_{\mathfrak{A}} \text{ be acc., } I_{\mathfrak{A}} \text{ a.b. e. e. e. e. e. e. e. e. } I_{\mathfrak{A}} \text{ ec., ... a.j. } I_{\mathfrak{A}} \text{ be acc., } I_{\mathfrak{A}} \text{ a.b. e. } I_{\mathfrak{A}} \text{ e.s. } I_{\mathfrak{A}} \text{$

Article 138

The board of does and a property of the property of the control o

Article 139

The bhand of direction is electrically entropy of f_i and f_i or f_i

- (1) . be e_{i_1} , ... $b_i e_i f_i$... $e_i e_{i_1}$... $f_i e_i e_i e_{i_1}$... $e_i e_i e_i e_i$... $e_i e_i$... e_i .

- (4) f_{-r-1} a.e., $e = a_{r-1} a_r f_r a_r c a_r b_r d_r e_r a_r d_f a_r acc_{r-1}$, $f_r e C_{r-1}$, $a_r y B_r$
- $(5) \quad \text{if} \quad f_{-+} = a_{-+} = c \quad e \quad C_{-+} \quad a_{-+} B_{--} \quad f_{--} = d_{--} \quad b_{--} \quad a_{--} = a_{--} \quad a_{--} \quad$
- (6) $\begin{bmatrix} a_1 & b_2 & b_3 & b_4 & b_4 & b_5 & b_6 & b_6$
- (7) ... f_{n-1} a.e, a... f_{n-1} e e ... f_{n-1} e ... f_{n-1}
- (8) $\mathbf{a}_{i} = \mathbf{b}_{i+1} \mathbf{a}_{i+1} \mathbf{a}_$
- (10) \cdot dec de \cdot e \cdot ab \cdot e \cdot f \cdot e \cdot a \cdot a \cdot e \cdot e
- (11) $a_{ij} = de_{ij} + e_{ij} = e_{ij} + e_{i$

- (12) A_{i} , A_{i}
- (13) $\mathbf{a}_{1} \mathbf{f}_{2} \mathbf{f}_{3} \mathbf{f}_{4} \mathbf{e}_{1} \mathbf{a}_{2} \mathbf{e}_{2} \mathbf{e}_{3} \mathbf{e}_{4} \mathbf{e}_{5} \mathbf{e}_{6} \mathbf{e}_{6} \mathbf{e}_{7} \mathbf{e}_$
- $(14) \quad \textbf{...} \quad f_{c_{-1}-1} \quad \textbf{a.e.}, \quad \textbf{...}, \quad \textbf{...} \quad \textbf{a}_{c_{-1}-1} \quad \textbf{a.e.}, \quad \textbf{A.c.} \quad \textbf{e.} \quad \textbf{f.} \quad \textbf{A.c.} \quad \textbf{e.} \quad \textbf{f.} \quad \textbf{A.c.} \quad \textbf{c.a.} \quad \textbf{a.c.} \quad \textbf{j.e.} \quad \textbf{$
- (15) $f_{\alpha} = f_{\alpha} =$
- (16) $a_{i,j}$ $a_{i,j}$
- (17) a_{n} , a_{n} , a_{n} a_{n}

- (20) . e $\stackrel{\text{e}}{\text{N}}$ a da,, e $\stackrel{\text{e}}{\text{e}}$ e $\stackrel{\text{e}}{\text{e}}$ a.e. . e $\stackrel{\text{e}}{\text{e}}$. e $\stackrel{\text{e}}{\text{e}}$ a dc.. de a... a a e e a, ee...;
- (21) ... e, \mathbb{N} e a ... ed b B... e \mathbb{A} a \mathbb{N} , \mathbb{A} a e a e \mathbb{N} a e \mathbb{N}
- - a. De e_1 , e_2 , a.e. e_1 a.d. e_2 ed e_3 , e_4 a.d. e_4 e.e. e_4 de e_4 , e_4 , e_4 , e_5 , e_6 , e_6 , e_7 , e_8 , e
 - $b. \qquad \textbf{..} \ e \ b_{i_1,\ldots,i_k} \ a_{i_1,\ldots,i_k} \ a_{i_k} \ d_{i_k}, \ e \ a_{i_k,\ldots,i_k} \ a_{i_k,\ldots};$

c.

- . In bota, a and, is contained as energy B is a contained as B, and B is a contained as B, and B is a contained as B, and B is a contained as B.
- ... If b, a, a, a, d, , , c, a, , , i.e. \mathbb{Z}_{N} conceeds, be e, , led ... be e, e, a, d, i.e.; a, d

E ce, f ... e b, a d e... e, ec, f ... e, a... e, ec f ed .., a a a, ... (6), (7) a d (14) \boxtimes ... c, ... a be, a ed b, B_{p} ... e ... a ... e, a f ... e d ec. ... eb, a d e... e, ec. ... f a ... e , ec. ... f a ... e , a ... e , a f ... e d ec. ...

Article 140

 $T_{\ell} \ e \ b_{\ell} \ a \ d_{\ell} \ f \ d \ e c_{\ell} \ \ldots \ a_{l-1} \ f_{\ell-1} \ a.e. \ e \ e_{l-1} \ e_{\ell-1} \ e e_{\ell-1} \ e e_{\ell-1} \ e \ b_{\ell} \ a \ d_{\ell} \ f \ d \ e c_{\ell-1} \ \ldots \ e_{\ell-1} \ e e_{\ell-1}$

The chain a_{ij} a_{ij}

- $(1) \quad \textbf{...} \quad \textbf{...} \quad \textbf{e.} \quad \textbf{de.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{a.} \quad \textbf{d.} \quad \textbf{...} \quad \textbf{c.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{de.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{e.} \quad \textbf{b.} \quad \textbf{a.} \quad \textbf{d.} \quad \textbf{f.} \quad \textbf{o.} \quad \textbf{b.} \quad \textbf{a.} \quad \textbf{d.} \quad \textbf{f.} \quad \textbf{o.} \quad \textbf{e.} \quad \textbf{b.} \quad \textbf{a.} \quad \textbf{d.} \quad \textbf{f.} \quad \textbf{o.} \quad \textbf{e.} \quad \textbf$
- (2) . , , $a = a d c e c ... e_{r}, e_{r} e_{r} ..., f e_{r} e_{r} e_{r} ..., e_{r} e_{r} e_{r} e_{r} ..., e_{r} e_$
- (3) a e ce . f ca.e., b, d ce . f ca.e. a, d, .. e . eq . e. . . . ed b, B.. e $C_{i,j}$, $a_{i,j}B_{i,j}$
- $(4) \qquad \text{a.} \quad e \mathrel{\checkmark} e f_{c_{-} + 1_{-}} a_{\bullet} \ldots \text{f} \quad a_{-+} \epsilon_{-} e_{c_{-}} a_{c_{-}} d_{c_{-}} \ldots d_{-} a_{\bullet} e_{c_{-}} \text{, } e a_{\bullet} \ldots \text{, } f \mathrel{\checkmark} e b_{c_{-}} a_{d_{-}} f d_{-} e c_{\bullet} \ldots \text{;}$
- (5) $a_1 + b_2 + b_3 + b_4 + b_5 + b_6 +$
- (6) \mathbf{a} e e c e \mathbf{a} e , \mathbf{a} e , a, d fi , c. . . . a, \mathbf{a} e , e, e, e, \mathbf{a} e;
- (7) ..., a.e ca, d da.e. f. .. ec e.a $_{y}B_{-}$. .. e b. a d. f d ec., ..., $_{\uparrow}$ e $_{\uparrow}$ be . a. d c. a $_{\uparrow}$ a. .. f.. e., ec a $_{\uparrow}$ ed c. ... e. .. de ... eb. a d. f d ec., ...;
- (9) cale fe, e e c, B f ca.a. . , , c a. a d a. e a d . e f ce, a e e, e e c e . e . e c a . . . fd . . . a e e e e C . , a , B' affa . . . a a e . . . e E . . . e e e e e f a a d . e e e b a d f d e c . . . a d . e e e a e e a a f e a a d . ;
- (10) . ac. ... e, a. ... f, vec b, ad, fd ec., ve
- (11) ... e fi ... a d , ... e e b, B .. e $\underset{\nabla}{a}$... a e e $\underset{\nabla}{a}$... , de, a ... e, a $\underset{\nabla}{a}$... A . c, e ... f A ... c a ... a d ... e b . a d ... f d ec. ...

Article 144

The cecha and an analysis of the boad of decharges. When echa a more able to decharge and a more able and for echarges. When echa a more able to decharge and for echarges and for echarges and for echarges and echarges are able to a more able to decharge and end of the echarges are able to decharge and echarges are also decharged and echarged and echarged

Article 145

 $T_{\ell} \ e \ b_{\ell} \ a \ d_{\ell} \ \ ee_{\ell} \ , \quad , \quad c_{j} \ f \ de \ e_{j} \ _{j} \ a_{\ell} \ \ ee_{\ell} \ , \quad , \quad a_{\ell} \ d \ e_{j} \ a_{j} \ d_{\ell} \ a_{j} B_{\ell} \ \ ee_{\ell} \ , \quad , \quad .$

Re $_1$ a $_2$ ee. f .. e b a d . f d ec. a $_1$ be . e d a. ea. . $_2$ ce a $_3$ Bea . Mee. . . . f .. e b a d . f d ec. a $_1$ be c .. e ed b B .. e c . a $_2$ a .. . ce . a $_1$ d ec. . . a d .. , e e da B bef e .. e $_2$ ee. e d.

The Pa $_{3}BC_{++}$ hee, coa $_{1}$ and $_{2}B_{+}$ are ordered decompositions. The coa $_{1}$ and $_{2}B_{+}$ are $_{3}B_{+}$ are $_{4}B_{+}$ and $_{5}B_{+}$ ere $_{1}A_{+}$ ere $_{1}A_{+}$ and $_{5}B_{+}$ ere $_{1}A_{+}$ ere $_{1}A_{+$

Article 146

The procedure of both and ϕ eeg property and be defined as the ϕ and ϕ are ϕ and ϕ and ϕ and ϕ are ϕ and ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ and ϕ are ϕ and ϕ are ϕ are ϕ and ϕ are ϕ and ϕ are ϕ

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Article 147

 $A_{+++} = c_{++} + c_{++} +$

- (1) Date a, d_{\uparrow} ace, f_{\uparrow} ee.;
- (2) Pe , d , f ., e , ee. , ;
- (3) Real and a elida;
- (4) Dale, f = a, ce, f, ce;
- (5) Me., $d \cdot f \cdot d \cdot d \cdot e \cdot e \cdot e \cdot$

Article 148

Figure 1. Be determined by B. eb addfd ec., if figure 2. If a second ded. Led ec., a d. ed ec., a ee., ed., ele., if e., e., e., a B., a. e., a ee., e., a dec., if e., a B., a. e., a ee., e., a ee., ed., ele., if c., e., e., a B., a. e., a ee., e., a dec., if e., a B., a e., e., e., a dec., if e., a B., a e., e., e., e., a B., a B.,

Article 149

E ce, f ... e c. .. de a... ... e e a.ed, a ... B. a ... ac. ... b B... e b. a d. f d ec. ... a ... e... A.c. e 145, ... e b. a d., ee. ... a ... e ... e ... a ... e ... a f. f ... e d ec. ... a e, e.e. ...

As $f_1 = e_1 = e_2 = e_3 = e_4 = e$

Article 150

The declining and dabad, ee. ..., e.... If a declining abject and df. a yBealining aBealining aBeal

The a,, is deduced as \mathbb{N} and \mathbb{N} and

Article 151

When a diece is connected as connected as a bound of the connected as a bound of the connected diece is a second diece

Article 152

 $T_{\ell} e \ b_{\ell} \ a \ d_{|_{\Gamma}} \ ee. \ \ldots \ a_{|_{\Gamma}} \ \ldots \ e \ b_{|_{\nabla}}^{B \boxtimes} a_{|_{\nabla}}^{B} \ f \ d_{|_{\Gamma}} c_{|_{\Gamma}} \ . \ ed \ ba_{|_{\Gamma}} \ \ldots$

P. $\det A = \det A = \det$

Article 153

The board of decay is a a_{11} ee, a_{12} ee, a_{13} ee, a_{14} ee, a_{14

The decompanies of the best of the bad of decomposed and for each of the bad of decompanies of the above and the above and the above and the above and the bad of decomposed and the above and the ab

 $T_{\ell}e_{+} + i \cdot e_{-} \cdot f \cdot b, \ a \cdot d_{+} \cdot ee_{-} \cdot \cdots \cdot a_{+} \cdot be_{-} \cdot e_{+} \cdot a, \ a \cdot c_{+} \cdot a, \ a \cdot b_{y}Bf_{-}e \cdot f_{-} \cdot a, \ e_{-} \cdot d_{+}f_{-} \cdot \cdots \cdot e_{-} \cdot a, \ 10_{y}Bea_{-} \cdot \cdots \cdot a_{+} \cdot b_{y}Bea_{-} \cdot \cdots a_{+} \cdot b_{y}Bea_{-} \cdot \cdots \cdot a_{+} \cdot b_{y}Bea_{-} \cdot b_{y} \cdot b_{$

- (1) da.e a, d e_{i} e f_{i} e_{j} e_{k} e e_{k} , a, d., e, a, e, f., e e_{k} , e, e, e;
- (2) \therefore e , a, e , f \therefore e D ec., , e, e, a, d , a, e , f D ec., (a., , e, B) be , a, , , .ed., a..e, d , \therefore e , e ', be, a, f;
- (3) .. e a e da;
- (5) \therefore e \therefore e \cdot d feach e \cdot j \cdot a d \cdot e \cdot e \cdot j \cdot (i.e. \cdot e \cdot e \cdot j \cdot , ec \cdot j \cdot be \cdot f \cdot e. f \cdot a \cdot a \cdot a \cdot a \cdot a \cdot b.

Article 155

The englisher each $ab_{1}B$ on ed by B decay of f and f and f and f and f and f and f are by B of C_{n+1} , and B and f are f f are

Chapter 12 Secretary to the Board of Directors

Article 156

The $C_{n,p}$, $a_{n,p}B_{n,p}$, $a_{n,p}$,

Article 157

 $T_{\ell} \ e \ , \quad \ _{\ell} \ a_{\ell} B \ e_{\ell} \ , \ \ldots \ b \ \ _{\ell} \ . \ e_{\ell} \ . \ f \ . \ e \ . \ e \ . \ e \ . \ e \ b_{\ell} \ a \ d \ \ , \ c_{\ell} \ de :$

- (2) . $a_{1} = b_{1} a d_{1} = e_{2} .$ $a_{1} d_{2} a e_{3} .$ $d_{2} e_{3} .$ $e_{4} e_{2} .$ $e_{5} e_{6} .$ $e_{7} e_{8} .$ $e_{8} e_{9} .$ $e_{8} e_{1} .$ $e_{8} .$ $e_{9} e_{1} .$ $e_{1} .$ $e_{2} .$ $e_{3} .$ $e_{1} .$ $e_{4} .$ $e_{1} .$ $e_{2} .$ $e_{3} .$ $e_{4} .$
- (3) be e.,..., b, ef. a a. e, e. a. d.c..., d.a...., f.f., a...., d.c..., e., a.e, \mathbb{Z} ..., e..., a.d. e., a.c..., a.e., \mathbb{Z} . f., e.,..., a.y. \mathbb{Z} ..., e.a....;

- (4) , a.c., a.e., \ldots e.a. a, e_{μ} e.g., f ca, \ldots a, e_{μ} a e.f., a, c.;
- (5) $\begin{bmatrix} a \\ v \end{bmatrix} = \begin{bmatrix} a \\ v \end{bmatrix} =$
- $(6) \qquad f_{i} f_{i} \wedge \dots e \cdot a_{i} \wedge a_{i} \wedge a_{i} \wedge \dots e d b_{i} B_{i} \wedge e B_{i} \wedge a d_{i} \wedge f d \cdot e c_{i} \wedge \dots \wedge a_{i} \boxtimes e d_{i} \wedge e c_{i} \wedge a_{i} \wedge e c_{i} \wedge a_{i} \wedge e d_{i} \wedge$

The a_1, a_2, a_3 by a_1, a_2, a_3 by a_1, a_2 by a_2, a_3 by a_3, a_4 by a_4, a_5 by a_4, a_5 by a_5, a_5 by

- (4) c. d. a.e a.d. a. e., e., c., a.e. f_{-+} a. ... d_{-} c₁ ... e., e., e., e., e., e., d. c₁ ... e., a.d. b. ... e., a.e. a., a.e. e., e., a.e. ... e., a.e. ... f. ... a. ... d.c₁ ... e., a.d. be find B and a e. f. ... e., a.e. dec. ... a.d. e., a.e. f_{-+} a. ... $f_$

- (7) be $e_1, \ldots b_p e_f$ and e_p and e_1 are a central density e_1 and e_2 density e_2 density e_3 and e_4 density e_4 den
- (8) a ... d ec. ... a d e e a , a a e , e f , d , B ... acc. da ce \(\mathbb{Z} \) ... d , e ... c a d f e ... a \(\mathbb{Z} \), e , a ... a d ... e e e a ... e , a ... Whe ... \(\mathbb{Z} \) ... a ... e C , a , a \(\mathbb{B} \) b , a ... f a , B e e a e e e e e a , B . a a ... b , a ... e C ... a Seq ... e Re 1 a ... \(\mathbb{B} \) C , ... a d ... e e 1 a ... \(\mathbb{B} \) a e c e ...

- (9) c. d. a.e., de. f., a..., $e. C_{r_1}$, a.y B, b. a.d. f., e..., a.d., $e. e._1$, a., yBaece. eeded f., e.f., a.ce, f., e..., yBfi.c...., a.d.a......e., e... a... e.e. a... a... e.e. a... e.e. a... a... a... a... a... a... a... a... a.
- (10) , e f , i.e. ... e fi c. ... a d , \mathbb{Z} e . a. ... ed b B ... e B a d . f D ec. ... a d ... e fi ... e ... a e i ed b B ... e \mathbb{Z} ... e \mathbb{Z} , ace ... a \mathbb{Z} ... c e c. a e.

Article 159

The C_{++} , $a_{+}B^{*}$, d ec. c_{++} , e e a_{++} and e and e

Chapter 13 General Manager

Article 160

Article 161

The e_{ij} of fiftee, f_{ij} ended end and e_{ij} and e_{ij} and e_{ij} be e_{ij} be e_{ij} be e_{ij} by $e_{$

The energy and energy and energy before the problem of the energy before the problem of the energy and energy

 $A\ d\ ec., \quad _{\downarrow}\ a_{j}Bc_{c}\ ,\ o\quad e_{i}\ _{\jmath}B.a\ e.,\ e_{j}\ ,\ldots,\ f\quad e_{i}\ e\ a_{j}\ ,\ a_{i}\ a\ e\quad ,\quad de, i\ _{\jmath}B\quad e_{i}\ e\ a_{j}\ ,\ a_{i}\ a\ e\ .$

- $(1) \qquad _{\parallel} ead ... e C_{\parallel} \ , \ a_{\parallel} B^{c} \ , \ ... \ d \ c. \ ... \ , \ , \ e \ a_{\parallel} \ ... \ a_{\parallel} \ d_{\parallel} \ a_{\parallel} \ a \ e_{\parallel} \ e_{\parallel} \ ... \ a_{\parallel} \ d \ e_{\parallel} \ ... \ ... \ e \ b_{\parallel} \ a \ d_{\parallel} \ f \ d \ ec. \ ... ;$
- $(2) \qquad \text{a.} \quad e \quad e_{\text{a.i.}} \quad ce_{\text{a.i.}} \quad ca \quad _y\!B_{\text{a.i.}} \dots e \quad B_{\text{a.a}} \quad a \quad d', \quad e_{\text{a.i.}} \quad _i \quad \ldots \quad ;$
- (3) $a_{1} = a_{2} = a_{1} + a_{2} = a_{3} + a_{4} + a_{5} = a_{5} + a_{5} = a_{5} + a_{5} = a_{5} =$
- (4) d = af, $a_{i} + f_{i} + e = e_{i} + ab_{i} + c_{i} + e_{i} + f_{i} + e + C_{i} + f_{i} + e_{i} + a_{i} + a_{i}$
- (5) d af. \cdot e ba, c_{μ} a, a e_{μ} e, \cdot \cdot_{ν} B. e_{μ} , f., e C_{μ} , a, ν B,
- (6) f_{i-1} a.e de.a ed i e. a d e i a. . . . f. e C_{i-1} , a.yB,
- (7) , . , . . e., e., e., . d., . . a, f., e., a, B, de, B, e. e., a, a e. (.) a, d.c. efacc. i. . a, . . . e. B, a d;
- (8) $a_{p,p} = a_{p,p} =$
- $(9) \qquad e \ e \ c \ , e \ , \ldots \ e \ b, \ a \ d \ , \ f \ d \ e c . \ldots \ .$

Article 163

Article 164

 $T_{\nu} \in \mathbb{Z}_{+}$ $I_{\nu} = \{e_{\nu} \mid f_{\nu}\} = \{e_{\nu} \mid e_{\nu}\} = \{$

- (1) $c_{i,j} d_{i,j,j}$, $ced_i e_i a_i d_{i,j} e_{i,j}$ be $f_i a_i c_j a_i$, $f_i c_{i,j} e_{i,j}$, $a_i a_i e_{i,j}$, $ee_{i,j}$;
- $(2) \qquad e_{c}\text{, ec. } e\text{ d}\text{, e. } a_{c}\text{ d}\text{ d} \qquad \text{, } f_{1}\text{ ab}, \quad a_{p}\text{ , . . .} \qquad e_{c}\text{ e a}_{1}\text{ p}\text{ a. a e . } a_{c}\text{ d}\text{ . . } e \text{ , e. . .} \text{ } p\text{ a. a e } e_{p}\text{ e. .};$
- (3) $B_{i} = B_{i} =$
- (4) ... e_{μ} a... e_{λ} ... de ed ed ece. e_{λ} e_{λ} e_{λ} e_{λ} e_{λ} e_{λ} e_{λ} e_{λ} e_{λ} ...

If we elected for the first and parameters are a second as constant and the constant and the constant and the constant are constant. The first are a second as constant and the constant are constant and the constant are constant.

Chapter 14 Board of Supervisors

Section 1 Supervisors

Article 166

The $.e_{+}$ is first first frequency and ... and ... and

Article 167

 $A \ d \ ec., \ ,_{_{1}} \ a_{1} \ a \ e \ a_{1} \ d_{1}... \ e_{1}... \ a_{n} \ a_{n} \ e_{n}... \ a_{n}... \ a_{n}...$

Article 168

When all, e is in a fiffice e, each is a line is a graph and file is a figure and is a graph and the second is a graph an

Article 169

 $A_{\text{oli}}, e = \dots + a_{\text{oli}} e_{\text{oli}} + e \text{ a.s. } e = f_{\text{oli}} + a_{\text{oli}} + d_{\text{oli}} e_{\text{oli}} + f_{\text{oli}} + e \text{ oli} + f_{\text{oli}} + e \text{ oli} + f_{\text{oli}} + e \text{ oli} +$

Article 170

Althermore calbe, e.e., a.ab, ad, fd ec., i., ee., . He/Lee cala a_{j} . Le., . , a e.t. e., . . c., ce., . , ., .ed e., i., ... a., e, ee. . .

Article 171

All, e.g., a_1, \ldots, a_{p-1} a errer for a cased error, and error error error error error a_1, \ldots, a_{p-1} and a_1, \ldots, a_{p-1} are error and error err

Article 172

If a i, e ... c ... a e e ... e $\mathbb{A}^{\mathbb{N}}$, ad e e i \mathbb{A} ... a. e e i \mathbb{A} ... de, a ... e .a e i \mathbb{A} ... e .a e ... b $\mathbb{A}^{\mathbb{N}}$... e .a d ca ... \mathbb{A} ... e ... b $\mathbb{A}^{\mathbb{N}}$...

Section 2 Board of supervisors

Article 173

 $T_{\ell} \in C_{\ell+1} \text{ , } a_{\ell y} B_{\ell \ell} \text{ , } a_{j_1} \in \mathbb{R} \text{ a } b_{j_1} \text{ . } \ell \text{ a } b_{\ell} \text{ a } d \text{ . } f_{\ell k} \text{ , } e_{\ell k} \text{ }$

Article 174

The board of fine a_1, a_2, \dots, a_m be a_m, \dots, a_m be

The a_1,\ldots,a_n encoded by Ba_1 encoded by Ba_2 each Ba_3 each Ba_4 each Ba_5 e

Article 175

The boad of intermediate a_1 and a_2 and a_3 are intermediate. The content a_1 are a_2 are a_3 are a_4 and a_4 are a_4

Article 176

The board of the end of the end

- 1. e a_{μ} , e., e C_{μ} , $a_{\nu} B^{\nu}$, f , a, c a_{μ} affa , ;
- 2. If $e = e \cdot e \cdot d = c$, and e = c, and $e = c \cdot d$. We refine a confidence of $e \cdot c$, and $e \cdot c$, and $e \cdot c$ and $e \cdot$
- 4. e f₁Bf₁ a₁ c a₁ f₂ f₃ a₄ c a₁ f₂ a₃ c a₄ e₅ a₄ c a₅ e₅ e₅ a₅ d₅ d₅ d₅ d₅ d₅ d₅ a₅ c, e.c., be 1 b₇ a₁ed b₂B₂ e B₁ a d₅ a₅ e e₆ e e₇ a₁ d₅ d₅ d₅ d₅ d₅ e₇ e₈ a e₇ a₁ e₇ d₅ d₅ d₅ e₇ e₈ a e₇ a₁ e₇ a₇B₇ ce a fed₁ b₁ c acc₁ a₂ a₃ d₅ a₅ c₇ a₁ d₅ a₅ c₇ d₇ c₈ a e₇ e a₇ a₁ a₁;
- 5. , , , , e c, , e, , , , f e . a, d , a, B e, e a, β e, e a, β e, e a, d . c, , e, e a, d , e, de , e . e e, e a, β e. ... e B, a d fa β , e f, β ... i c. di . e, ;
- 6. \mathbf{a}_{\parallel} \mathbf{b}_{\parallel} \mathbf{a}_{\parallel} \mathbf{a}_{\parallel} \mathbf{a}_{\parallel} \mathbf{a}_{\parallel} \mathbf{e} \mathbf{e} \mathbf{e} \mathbf{e} \mathbf{e} \mathbf{e} \mathbf{e}
- 7. , , , , e c, , e, , , fe . a, d, $a_y B_y$ ee. , , fb, a d, fd ec. , ;
- 8. $\begin{bmatrix} a_1 & c_2 \end{bmatrix} e \begin{bmatrix} a_1 & a_2 \end{bmatrix} = \begin{bmatrix} a_1 & a$

- 9. c_{1} d c_{2} e a_{3} d c_{4} e a_{5} B a_{5} e a_{5} e a
- 10. $a_{xy}B_{x}$, $e = d_{x}$, $e_{x}c_{y}$ bed $b_{y}B_{x}$, $e = A_{x}c_{y}e_{x}$, $f = A_{x}c_{y}$, $f = A_{x}c_{y$

The peak of a boad of the control appearance engages and a gas of a be content and a gas of a boad of the control appearance engages. The peak of the boad of the control appearance and a gas of the boad of the control appearance and a gas of the boad of the control appearance and a gas of the boad of the control appearance and the control app

Where a_1 is a_2 is a_3 is a_4 is a_4 is a_5 is a_4 is a_5 is a_5 in a_5

Article 178

The boad of the end of the boad of the boad of the boad of the conditions of the conditions of the conditions of the condition of the boad of the boa

Article 179

 $Re_{\text{conj}} : \dots : a. \dots e_{\text{p}} \text{ ee.} \dots : f. \dots e_{\text{b}} \text{ a d} : f. \text{i, e} \dots : \dots : a_{\text{jj}} \text{ be, a...} \text{ ed b,} B_{\text{p}} : e. \dots a_{\text{p}} \dots \text{ d...} f. \dots e_{\text{jj}} \text{ e...} a_{\text{jj}} \dots a_{\text{jj}} \text{ e...} a_{\text{jj}} \dots a_{\text{jj}$

Article 180

The displaced structure is a_{jj} be explicitly e_{jj} of the joint e_{ij} of the bound of the explicit e_{ij} of the bound of the explicit e_{ij} of the explicit e_{ij} of the bound of the explicit e_{ij} of the explicit e_{ij}

Si, e ..., a e e, .., ed ... e i e, ... a. a. e , a. a. ... f., e ..., ade a... e, ee. ... be ... ed ... e, ... a_1 be a_2 a... a. ed a. c. , ... a.e a c. e. f. a. ea. a_1 be a_2 a... a. ed a. c. , ... a.e a c. e. f. a. ea. a_1 be a_2 a... a... ed a... e. a_2 be a_3 a... a... ed a... a... ed a... a... e. f.

Article 181

A...ce, f., e, ee, fb, a d, f., e, ..., $a_{||}$, e, ..., $a_{||}$ be e, $10 \, da_{||}B$, ..., $a_{||}$ ee, ..., $a_{||}$

 $A_{++} \cdot ce_{++} \cdot a_{-}b_{+} \cdot a_{-}d_{+}f_{++}e_{-++} \cdot c_{++}e_{-++} \cdot c_{++}a_{++} \cdot c_{++}e_{-+} \cdot c_{++}e_{-+} \cdot c_{++}e_{-+} \cdot c_{++}e_{-+} \cdot c_{++}e_{-+}e_{-+} \cdot c_{++}e_{-+}e_$

- (1) da.e, $e_1 e_2$, e_3 d d e_4 , e_5 , e_6 , e_8 , e_9 , e_9
- (2) ea. . . a d . . e . . f d . a ;
- (3) da.e, f is a ce, f, ce.

Article 182

The each able eigense of ed by Bare blads for , e.g., and e.g., e

Article 183

The early abjective is a edby Barri, e.g., f_{i} and g_{i} and g_{i} and g_{i} and g_{i} and g_{i} and g_{i} are early e.g., g_{i} and g_{i} and g_{i} are early e.g., g_{i} and g_{i} ar

Chapter 15 Qualifications and Obligations of the Company's Directors, Supervisors and Other Senior Management

Article 184

- 5. $a, e, \dots, \underbrace{\mathbb{Z}}_{\nabla}$, a, a, e, \dots, e, B , $a, e, u, \dots, f, deb.$, $d_i, e, a_i, d_i, \dots, a_i, d_i$;

- 7. $a_1e_1 \dots \boxtimes A_1 \dots B_n$, b_1ed_1 , e_1e_1 , e_1e_2 , e_1e_2 , e_2e_3 , e_1e_4 , e_2e_4 , e_3e_4 , e_4e_5 , e_5e_6 , e_5e_6
- 9. a_i , e_{i+1} ;
- 10. Let c_1 and c_2 be c_3 be c_4 be c_4 be c_5 be c_6 be c

The and $_{3}B_{1}$ far action fadec. The interpretation of the interpretation of the angle $_{1}B_{2}$ and $_{2}B_{3}$ and $_{3}B_{4}$ and $_{4}B_{5}$ and $_{5}B_{6}$ and $_{6}B_{6}$ and $_{7}B_{6}$ and $_{7}B_{6}$ and $_{8}B_{6}$ and

Article 186

I add e b a. . . , . . ed b B a M . , ad . . . a e e i a. i e f . e eq . e e c a e() . M . c . . a e f . e C . , a B a e . . ed . . e C . , a B d ec . . . , i , e . . . , a a e a d . . e e e . . . a a e e c e f . e f . c . . . a d . M e . . f . e C . , a B e . i . . ed . . . e e e c e f . e f . c . . . a d . M e . . f . e C . , a B e . i . . ed . . . e . :

- 3. e , . , a.e , a.y. B , . . e . e $C_{i, j}$, a.y. B , . , . , e , B, . . $C_{i, j}$ d . . . $(X \times i, i, j)$. . . a. . .) i.i. , a. . . . f e . ad a . a e . i e $C_{i, j}$, a.y. B, a. d

Article 187

Each of $A \in C_{++}$, $A \in B$. Decay, i, e.e., e.e., e.e., and e.e., e.e., and e.e., e.e.

- 1. . $ac. \cdot c = e... \cdot B \cdot c = be. \cdot c = e... \cdot f \cdot e \cdot C_{c} \cdot c = a... \cdot b \cdot c \cdot c = be.$
- 2. Leecle, \mathbb{Z} e. Leecle field is add, \mathbb{Z} e add. Leeced is \mathbb{Z} e.
- 4. . . ea. S. a e. . de . . f. e. a, e. a, e. a, e. a. B. a e. . de . . f d ffe e. . c. a. e. fa ${}_{\mu}B$,
- 6. Let $e \sim e \sim e \sim e$, $a \sim B = e$, $e \sim B = e$, $e \sim e$

- 9. ab de b,B., e A., c,e., f A., c,a., f, e C., a, yB, e f., a, d, e, fa., fi, B, a, d, e.e., e e.e., f, e C., a, yBa, d., e, e, fa., e, fa., e C., a, yBa, ad a ce., a, $\frac{1}{N}$, a.e., e e.e., ;
- 10. ... ee f. , ef/eef. ... e ... e ... e ... a ... Bbe. ... a ... e ... a ... Bbe. e ... a ... e ... a ... Bbe. e ... a ... e ... a ... Bbe. e ... a ... Bb. ... e ... a ... e ... a ... Bb. ... e ... a ... Bb. ... e ... a ... e ... a ... Bb. ... e ... a ... Bb. ... e ... a ... e ... a ... b ... e ... a ... a ... Bb. ... a ... Bb. ... a ... b ... e ... a ... e ... a ... a ... b ... a ... a ... b ... e ... a ... a ... b ... e ... a ... a ... b ... e ... a ... a ... a ... b ... e ... a ... a ... a ... a ... b ... e ... a ...
- 11. , . . , a. e $C_{i,j}$, $a_{i,j}Bf_i$, $d_{i,j}$, $d_{i,j}$, e $C_{i,j}$, $a_{i,j}Bf_i$, $d_{i,j}$, $a_{i,j}e$, . . . a $a_{i,j}e$, . . . $a_{i,j}e$, $a_{i,j}e$

- - (1) , ded $b_{i}B_{i}$ $a_{i}X$;
 - (2) $e_1 e_2 e_3 \dots e_{1} b_1 e_2 \dots e_{n}$
 - (3) $e_1 e_2 \dots e_n e_n e_n f_{n_1} c_n d_n e_n \dots e_n e_n \dots ff_n e_n f_n e_n e_n B_n$

- 1. $\mathbf{a}_{\mathbf{a}_{1}} = \mathbf{a}_{1} + \mathbf{a}_{2} + \mathbf{a}_{3} + \mathbf{a}_{4} + \mathbf{a}_{5} +$
- 2. Le, (1) \cdot e e, f; and ec, \cdot , \cdot , e, \cdot , \cdot , e, \cdot , \cdot , and \cdot , \cdot , e, \cdot , \cdot , \cdot , e, \cdot , \cdot , \cdot , e, \cdot , e,
- 3. ... e, a, e, fad ec, ,i, e, ..., e, ..., a, a e, e, f. e $C_{e_{\mu}}$, $a_{\nu}B_{\nu}$, fa $_{\nu}B_{\nu}$, e, ... efe ed ... Le_{μ} . (1) a, d (2), e e, f;
- 4. $A = C_{++}$, $A = B_{++}$, C_{++} , $A = C_{++}$, A
- 5. ... e d ec., , ..., e ..., e., ..., ff ce ... f a $c_{i,j}$, $a_{i,j}B$ be ... $a_{$

Article 190

The following Boundary Bounda

Article 191

E ce, f c α_{+} .a ce, e c bed . A c e 60 f .e A c e .f A .c a ..., a D ec., ..., e .e. , e e a $_{+}$ a a e a d ... e .e. $_{+}$ a a e $_{+}$ e ... e , be . f .e C $_{+}$, a $_{+}$ B be e e ed .f $_{+}$ ab $_{+}$ B f ... e f c b eac. e . f . d $_{+}$ Bb B.. e .f $_{+}$ ed c ... e ... f S a e ... de ... e .a a e e a $_{+}$ ee . . .

Unjective neededection, injective englished in the Company Brand of needed of needed by a difference and englished e

A d ec., , i, e e ... , a a e e e ... f ... e $C_{i,j}$, a yB, $a_{j,j}$ be dee, ed., a e a ... e e... a yB c ... ac., ... a a e e ... x c. a x d ec., , i, e e ... ff ce ... a x a ... e e...

Article 193

Where a diecondition is entired in the condition of the

Article 194

 $T_{\ell} \in C_{\ell+1} \text{ , } a_{\ell} y_{\ell} B_{\ell+1} a_{\ell+1} \ldots a_{\ell} y_{\ell} B_{\ell+1} a_{\ell+1} e_{\ell+1} a_{\ell+1} B_{\ell+1} a_{\ell+1} e_{\ell+1} \ldots be_{\ell+1} a_{\ell+1} f_{\ell+1} f_{\ell+1} a_{\ell+1} e_{\ell+1} \ldots e_{\ell+1} e_{\ell+1} e_{\ell+1} e_{\ell+1} a_{\ell+1} e_{\ell+1} e_{\ell+1$

Article 195

The $C_{i, +}$, $a_{i, +}$,

The, in the first edge of the second of the

- $1. \qquad \textbf{..} \ e \text{, ...} \ \text{...} \ \text{...} \ f \text{ a} \text{, ...} \ \text{a...} \ \text{...} \ \text{a...} \ \text{eo.} \ \text{...} \ \text{gb,} \ B \text{b,} B \text{c.} \ \text{e C}_{\text{c...}} \ \text{, a.yBf} \ \text{a...} \ \text{b.} \ \text{d ayB.} \ \text{f...} \ \text{e C}_{\text{c...}} \ \text{, a.yB}, \ \text{f...} \ \text{e C}_{\text{c...}} \ \text{, a.yB}, \ \text{f...} \ \text{e C}_{\text{c...}} \ \text{, a.yB}, \ \text{f...} \ \text{e C}_{\text{c...}} \ \text{o...} \ \text{e C}_{\text{c...}} \ \text{o...} \ \text$
- 2. Le, fa, a, ... , a, .eq. , B. ... e fi, d, b, B. .. e C., , a, yB., a d ec., , i, e e. ... , a a e, e, ... f... e C., , a, yBi, de a e ce c... ac. a, , ed b, B. ... e e e e e e e e... , ... a. ... e ab e , , , a, B. ... e e, e, ... e ef ... e a e f... e C., , a, yB. f. ... e, e f. , a ce ... f... C., , a, yBd. e ; a, d

3. ... e, fa, a... , a. eq. , $B b_i B ... e C_{i-1}$, a, y B ... a e, e a. d ec., , i, e e, ... , a a e, e... f... e C_{i-1} , a, y B. ... a C_{i-1} ec. ed Pe e e, f... e, a, c., p e c a, e, p, f... e ... d. a, y B b ... e, f, a. eq. y B

Article 196

Article 197

 A_{\parallel} , a_{\parallel} , a

- 1. \boxtimes e. ... e. ... ded. a C_{cons} ec.ed Pe... fad ec., , i, e... e... e... a a e. ... f \subseteq C., , a, \subseteq B. ... a e... c., , a, \subseteq B. ... de ... a \boxtimes a e. f. ec \subseteq c. a d
- 2. ... $e^{-c} c_{ij} a_i e^{-a} a_j$, ... $e^{-c} ded b_i B_{ij} e^{-c} C_{ij}$, $a_{ij} b_i a_i$ bee. $e^{-a} a_i b_i a_i b_i a_j b_i a_i$, ... $e^{-c} a_i e^{-c} a_i e^{-c}$

Article 198

 $F_{-} = \{a_{-}, a_{-}, a_{-}, e_{-}, e_{-}$

Article 199

- 1. $de_{\mu} \ a_{\nu} \ d_{\nu} \ e_{\mu} \ e_{\mu} \ a_{\nu} \ d_{\nu} \ e_{\mu} \ a_{\nu} \ a_{\nu} \ e_{\mu} \ a_{\nu} \$

- 4. ec, e a $_{y}B$ find, ece ed $_{y}B$ are e e and ec, in ,e ..., e, ..., a are e, e, ..., a bee, ece ed $_{y}B$ are $_{y}$ e $_{x}$ $_{y}$ $_{y}$
- 5. $de_{\parallel} a_{\parallel} d_{\perp} e_{\parallel} e_{\parallel} a_{\perp} d_{\parallel} e_{\perp}$, $e_{\parallel} e_{\parallel} e_{$

Article 200

- 1. $e_{r_1,r_2,r_3}e_{r_3,r_4}e_$
- 2. $e_{p_1 \dots p_1 p_1} e_{p_2 \dots p_n} e_{p_n} e$
- 3. $e_{\gamma_1, \gamma_2, \gamma_3} e_{\gamma_1, \gamma_2, \gamma_3} e_{\gamma_1, \gamma_2, \gamma_3} e_{\gamma_1, \gamma_2, \gamma_3} e_{\gamma_1, \gamma_2, \gamma_3} e_{\gamma_2, \gamma_3, \gamma_3} e_{\gamma_1, \gamma_2, \gamma_3, \gamma_3} e_{\gamma_1, \gamma_2, \gamma_3, \gamma_3, \gamma_4} e_{\gamma_1, \gamma_2, \gamma_3, \gamma_3, \gamma_4} e_{\gamma_1, \gamma_2, \gamma_3, \gamma_4, \gamma_5} e_{\gamma_1, \gamma_2, \gamma_5} e_{\gamma_1, \gamma_2, \gamma_4, \gamma_5} e_{\gamma_1, \gamma_2, \gamma_5} e_{\gamma_2, \gamma_2, \gamma_5} e_{\gamma_1, \gamma_2, \gamma_5} e_{\gamma_2, \gamma_2, \gamma_2, \gamma_2,$
- 4. f_i , d_i , a_i , c_{i+1} , e_i , a_i , f_i , f_i , f_i , f_i ffice, e_i , e_i , e

If $add \dots , \dots \in C_{n-1}$, $a \in B_n$, $a \in C_n$, $a \in C$

- (1) a i de a b B. e d ec., i, e ... e ... ff ce ... e C., a yB. a. e. a ... b e e a d c., , yB. ... e C., , a yB. a. e. a ... e ... f A. c a ... a d. e e i a ... f ... e H. K. E c a e, a d a a ee, e ... a ... e C., , a yB. a, a e ... e e, ed e ... ded ... A . c e ... f A. c a ... a d. a e., e ... e ... e ... e ... e ... f ce ... f f ce ... a ... a b, e;
- (2) a 1 de a b B e d ec., 1, e ... a $_{\parallel}$ a... a $_{\parallel}$ ac. a a a e . f eac ... a e ... de ... b e e a d c $_{\parallel}$, $_{\parallel}$ B ... b $_{\parallel}$ a... a e ... de ... a e ... a e ... de ... a e .
- $(3) \qquad \text{...} e \ a \ b \ ... a \ ... \ c_{j} \ a_{j} \ ... \ e \ a_{j} \ ... \ ... \ A \ ... \ c_{j} \ e \ 243 \ ... \ e \ e_{j} \ f.$

Article 201

The contact f end f end g end g be f end g end g be f and g end g g en

- 1. $a_{y}B_{x} e_{y} a_{y} e_{x} a_{y} e_{x} a_{y} e_{x} a_{y}$, ffe $a_{x} a_{y} a_{y} e_{x} a_{y} e_{x} a_{y} e_{x}$

If ... e e e a d ec. ... i, e ... fa ... c. A. c e, a Bi d ece ed b, ... a be ... a. ... e, e ... a. ... a e ... d. ... e a ce, a ce, f. eab. e-... e d ffe, a d ... e e, e. ... e d d. b. ... f. c. fi. d. a, a a ba ... a be b. e b, e e a d ec. ... e. ... a d, a, be, a d. ... f. c. fi. d.

Article 202

Chapter 16 Financial Accounting System and Distribution of Profits

Article 203

Article 204

The $C_{i,j}$, $a_{i,j}Bad_{i,j}$, and $e_{i,j}a_{i,j}Bea_{i,j}$, $e_{i,j}a_{i,j}Bea_{i,j}$

Article 205

 $T_{\ell} e b_{\ell} a d_{\ell} f d_{\ell} e c_{\ell} = f_{\ell} e C_{\ell} + a_{\ell} y_{\ell}^{B} + a_{\ell} + a_{\ell} e b e f_{\ell} e \cdot a_{\ell} e \cdot$

Article 206

The financial equation of the C_{n+1} and C_{n+1} are the financial equation of C_{n+1} and C_{n+1} are the final equation of C_{n+1} and C_{n+1} are t

A. ea. 21 daß before a line energy energy, we Compare the problem of energy en

The finance is a substitution of the control of the

Article 208

Article 209

Article 210

The C_{i+1} , $a_{i+1}B_{i+1}$, a_{i+1} ,

Article 211

 $T_{\ell} \in c_{\ell+\frac{1}{2}} \ , \ ca_{\ell} \cdot a_{j} \cdot e_{\ell} \in e_{\ell} \cdot a_{j} \quad , \ c_{j} \cdot de_{\ell} \cdot e_{\ell} \cdot f_{\ell+\frac{1}{2}} \boxtimes \ , \quad f_{i} \cdot d_{\ell} :$

Article 212

 $\begin{aligned} &W_{\text{c}} = \text{e.a.} \text{c.} \text{d.a.} \text{b.e.} \text{a.a.} \text{a.f.} \text{e.a.} \text{f...} \text{e.a.} \text{e.a.} \text{f...} \text{e.a.} \text{e.a.} \text{d.a.} \text{d.a.}$

After each parameter and and a discontinuous energy and by Borer energy each of an advantage of the state of

Af.e ... e ... e ... a e bee ... a de... e ... e ... e ... e ... e ... de... e ... f ... e ... d ... e ... f ... e ... e ... f ... e ... e ... f ... e ... e ... d ... e ... f ... e ... e ... f ... e ... e ... f ... e ... e ... e ... f ... e .. e .. e .. e .. e .. e ... e ... e ... e ... e ... e ... e ...

If ... e ... a e. ... de ... e e. 0.5 e ... e e. ... ac ac a. ... f ... e ... , ecc. ... , a a ... a, ... 5 () IT JETE

The eccent algebra, and edby B and $C_{i,j}$, and B from elements are independent of the contact A and A are A and A are A and A are A are A and A are A are

Where we have the problem of the control of the co

Where, \square end by \square and \square by \square and \square are \square by \square and \square are \square by \square and \square be ending to \square and \square be ending the \square and \square are \square by \square and \square are \square by \square and \square are \square by \square and \square be ending the \square and \square are \square by \square and \square by \square are \square by \square and \square by \square are \square by \square and \square by \square and \square by \square are \square by \square and \square by \square

- (1) d de d. e e a. ed S. a e. . a e bee. de e ed a. ea. . 3 . e. . . . 12 . Bea . a d. a e . . . bee. c a ed; a d

Article 217

After we execute a expression as expression as a_1 , a_2 , a_3 , a_4 , a_5 , a_6 , a_6 , a_7 , a_8 , $a_$

Article 218

The C $_{\parallel}$, a $_{\parallel}$ B $_{\parallel}$ $_{$

Chapter 17 Appointment of an Accounting Firm

Article 219

Article 221

A. $acc_{,+}$, $c_{,+}$, geodesical b, geo

- 1. Let A_{i} and A_{i} are A_{i} and A_{i} and A_{i} are A_{i} ar
- 3. We in all deleta each ece each ech in ech each a yB eleta y

Article 222

If $x \in A$, $x \in A$ for $x \in A$, $y \in$

Article 223

Article 224

The e_{μ} is easily faractions of μ e_{μ} , μ Bed e_{μ} by a difference of e_{μ} and e_{μ} are e_{μ} and e_{μ} and e_{μ} are e_{μ} are e_{μ} and e_{μ} are e_{μ} and e_{μ} are e_{μ} are e_{μ} are e_{μ} are e_{μ} and e_{μ} are e_{μ

Article 225

Where we C_{++} , $a_{+}y^{B}$ when ded a_{++} , a_{++} and a_{++} end a_{++} error a_{++} and a_{++} are a_{++} and a_{++} and a_{++} are a_{++} and a_{++} are a_{++} and a_{++} are a_{++} and a_{++} are $a_$

- (1) Before e e e a presenta ce, ... e, ..., ... a ... e a, ..., e ... d. presenta pede e ed. ... e acc. ... f presenta be a, ... ed. ... ea e ... ff ce ... a ead, B e. ed ... e e e a ... f cap, Bea. Lea e e e ... a local de d. presenta a, e... a de e e e ... f a acc. ... f presenta a ... a de e e e ... f a acc. ... f presenta a ... a de e e e ... f a acc. ... f presenta a ... a de e e e ... f a acc. ... f presenta a ... a de e ... a ... a de e ... a ..
- (2) If \dots e acc_1 \dots f \dots ea e \dots ff ce \dots a e, a, yB, a.e, e. \dots M \dots a, de \dots e. \dots e. \dots be \dots f \dots de \dots de \dots bB. e \dots f \dots be \dots a.e f \dots e ecc, \dots finctionale, e. \dots e. \dots

 - 2. $C_{i,j}$, $e_{i,j}$, $f_{i,j}$, $c_{i,j}$, $a_{i,j}$, $a_{i,j}$, $e_{i,j}$, e_{i,j
- (3) P. $\det \mathbb{D} \in C_{++}$, $a_{+}Bfa_{+}ed_{+}$, $de_{+}e_{-+}e_{-+}e_{-+}BB_{-}e_{-}e_{-+}e_{-+}a_{-+}a_{-+}c_{-+}a_{-+}a_{-+}c_{-+}a_{-+}a_{-+}c_{-+}a_{-+}a_{-+}c_{-+}a_{-+}a_{-+}c_{-+}a_{-+$
- (4) The acc_{1} and f_{1} is a eac_{1} and f_{2} and f_{3} are d_{4} and eac_{1} and f_{3} are eac_{1} and eac_{2} are f_{3} and f_{4} are f_{3} and f_{4} are f_{4} and f_{5} are f_{5} are
 - 1. Le $e_1 e_2 a_1 e_2$ ee. $a_2 a_2 c_3$ c_4 c_5 c_6 e_7 e_7 e_7 e_7 e_7 e_7
 - 2. ... e e e e a_{\parallel} ee. ... a_{\parallel} ... a_{\parallel}
 - 3. Le $e_1 e_2 e_4$, e_4 , e_5 , e_6 ,

The accurate f_{γ} and g_{γ} are g_{γ} and g_{γ} and g_{γ} are g_{γ} and g_{γ} and g_{γ} are g_{γ} and g_{γ} are g_{γ} and g_{γ} and g_{γ} are g_{γ} are g_{γ} and g_{γ} are g_{γ} and g_{γ} are $g_{$

Article 226

Where C_{ij} , $a_{ij}B_{ij}$ are indeeded in a contract of i_{ij} , and $i_{ij}B_{ij}$ error according of i_{ij} and a central error error

- - 2. $a_{ij}B_{i} \rightarrow e_{i+1} c_{i} c_{i} c_{i} q_{i+1} ... a_{i} ce_{i} \rightarrow a_{i+1} a_{i+1}$ be, $e_{i}e_{i}.ed.$

- (3) If we according for the conditions of the co

Chapter 18 Merger, Division, Dissolution and Liquidation

Section 1 Merger and Division

Article 227

The period of the Company Bora energy energ

Article 228

 $T_{\ell} e_{\ell} e_{\ell} e_{\ell} e_{\ell} f_{\ell} a_{\ell} c_{\ell}, a_{\ell} b_{\ell} a_{\ell} B_{\ell} e_{\ell} e_{\ell} e_{\ell} b_{\ell} B_{\ell} a_{\ell} B_{\ell} f_{\ell} e_{\ell} e_{\ell} e_{\ell} c_{\ell} \dots da_{\ell} \dots da_{\ell} \dots$

I we call fare eight eight each each a pabea december a be with the contraction of the second of the second each approximately a part of the second each approximately as a second each a

Article 229

A, f, $a_{i,j}$, fac, $a_{i,j}$, $a_{i,j}$,

Ba a cellee. a d clec | ... f, ., e.e. | f. e C., , a, B., a | be \mathbb{Z} | ed | ... The c., , a | e. . . | ed | ... a | c., a | e. . . | ed | c. a | c. a | e. . . | a | e \mathbb{Z} | ed | ed | b, a | e. . | ce | e. . . | a | e \mathbb{Z} | a, e | ec. | ed | b, B., e | e. | c. a | e. f., e. | e. e. | e. . | e. C., | a, B., . | a | e. a | e. | e. . | ed.

Article 230

Section 2 Dissolution and Liquidation

Article 231

 $T_{\ell} \in C_{\ell+1} \text{ , } a_{\ell} y B_{\ell} \text{ , } a_{j_1} \text{ be } d_{\ell+1} \text{ , } \text{ ed}_{\ell} \text{ , } \text{ de } a_{\ell} y B_{\ell} \text{ } f_{\ell} \text{ , } \text{ e} f_{\ell+1} \text{ , } \underline{\mathbb{M}} \text{ , } \text{ } \text{ c} \text{ } \alpha_{j_1} \text{ , } \textbf{ .a} \text{ , ce. } \text{:}$

- $(1) \qquad A_{\nu p} B_{\nu} f_{\nu} e_{\mu} \text{ a..e. } f_{\nu} = d_{\nu \nu} f_{\nu} + d_{\nu \nu} f$
- (2) T_{i} e e_{i} e a_{i+1} e e_{i+1} dec de_{i+1} d d_{i+1} e d_{i+1} ;
- (4) The $C_{i,j}$, $a_{i,j}B$, dec_ia ed $ba_{i,j}$, acc_id , $a_{i,j}$, acc_id , $be_{i,j}$, $a_{i,j}$,
- (5) I. b. e. ce. e. ca. ce. ed. . . de ed. c_1 . ed acc. d. . be d. . ed acc. d. . e_1 abc.;

Article 232

Where we Company Bord and educed downers, and for A. company Bord and the company Bord and th

Article 233

Article 234

The indance is seen a indicate and is enough and indicate and indicat

 $T_{c}e_{j-1}-da_{c}, \quad c_{c+j-1}-aee_{c}, \quad a_{j-1}, \quad c_{j}ea_{c}, \quad ffa_{c}yB, \quad f., \quad e \mid deb_{c}, \quad fa_{c}yBc \mid ed_{c}, \quad de_{c}, \quad de_{c}, \quad e \mid e \mid d \mid fc \mid ed_{c}, \quad de_{c}, \quad d$

Article 235

 $T_{i} e_{i} = da_{i} \cdot (c_{i} \cdot c_{i}) \cdot (c_{i$

- (1) $\mathbf{a} \cdot \mathbf{b} \cdot \mathbf{a} \cdot \mathbf{c} \cdot \mathbf{e} \cdot \mathbf{e$
- $(2) \qquad \text{, } f_{c_{-\frac{1}{2}}} \text{ , } \quad c \text{ ed ., } \quad \text{, } b_{\mu}B_{\alpha}\text{ , } \text{, } ce_{\alpha} \text{ , } \quad \text{, } i_{\mu}b_{\mu}\text{ } c \text{ } a_{\alpha}\text{ , } \text{, } i_{\alpha}\text{ , } ce_{\mu}\text{ } e_{\alpha}\text{ . ; }$
- (3) d_{\perp} , \ldots a_{\perp} d_{\perp} a_{\perp} a_{\perp} e_{\perp} $e_{$
- $(4) \quad c_{j} e a \ , \quad f f ... e_{j-1} ... a_{j} \ d_{j} \quad ... a_{j} \ d_{j} \ ... a_{j} \ ..$
- (5) $c_1 ea_2$, $ff c ed_2$, $a_1 d deb_2$;
- (6) d_{\perp} , e_{\perp} e_{\perp} d_{\perp} a_{\parallel} , . , e_{\perp} e_{\perp} ; a_{\parallel} d_{\parallel}
- (7) , a.c., a. . . . ec a_1 . a. . . . be a_1 f. f. a_2 B

Article 236

Article 237

I cale f_{-} i da..., d_{-} i..., f_{-} e f_{-} da... c_{-} i... f_{-} e e... ce... a... e, ..., e.e. f_{-} e e_{-} fine e_{-} da... e_{-} i... e_{-} e.e. f_{-} e e_{-} fine e_{-} da... e_{-} i... e_{-} e.e. e_{-} fine e_{-} da... e_{-} da... e_{-} e.e. e_{-} fine e_{-} da... e_{-} da... e

O, ce ... e Pe, , | e', c, | ... dec | a e, ... e ba, | | | , ... q.B, f ... e C, | | , a.yB, ... e | | | da. ... | c, | | | ... e e ... a | | , a.d. | e ... e | | | da. ... | | a.e ... | ... e Pe, , | e', | c, | ... e

Article 238

First ... e.g., e.g., f., i. da. ..., ... e.g., i. da. ... c.g., ... e.g., a. e.g., a. e.g., a. e.g., a. e.g., e.g., a. da. ... e.g., e.g., a. da. ... e.g., e.g., a. da. ... e.g., e.g., a. da. ..., e.g., e.g

Article 239

Note of the problem of the problem

Where a_yB_1 fine, e_y be in fine, e_y dath, e_z is each end a_yB_1 in a parameter a_yB_1 and a_yB_2 and a_yB_3 and a_yB_4 and a_yB_5 and a

Chapter 19 Amendment to Articles of Association

Article 240

Article 241

 $I_{\alpha}(a_{1}y_{1}B_{\alpha}), \ e_{\alpha}(f_{\alpha}) \ e_{\beta}(f_{\alpha}) \ e_{\alpha}(f_{\alpha}), \ a_{\alpha}(ce_{\alpha}), \ a_{\alpha}(ce_{\alpha}), \ a_{\alpha}(e_{\alpha}), \ a_$

 $(1) \quad \text{Af.e } a_{_{\parallel}} e_{_{\parallel}} d_{_{\parallel}} e_{_{\parallel}} \cdot f_{_{\parallel}} e C_{_{\parallel}} , \quad a_{_{\parallel}} B L_{\overline{M}} B L_{\overline{M}} = e_{_{\parallel}} a_{_{\parallel}} \cdot a_{_{\parallel}} d_{_{\parallel}} \quad ad_{_{\parallel}} \quad ... \ a_{_{\parallel}} e e_{_{\parallel}} a_{_{\parallel}} \cdot ... \cdot e_{_{\parallel}} \cdot a_{_{\parallel}} e_{_{\parallel}} \cdot a_{_{\parallel}} d_{_{\parallel}} \quad ... \ a_{_{\parallel}} e e_{_{\parallel}} a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} e e_{_{\parallel}} a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} e_{_{\parallel}} e_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} e_{_{\parallel}} \cdot a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} e_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot e_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot e_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot ... \cdot a_{_{\parallel}} \cdot a_{_{\parallel$

- (2) The confinal central $C_{i,j}$, C_{i,j
- $(3) \qquad T_{\ell} \ e_{+\ell} \ a_{-\ell} \ de_{+\ell} \ e_{\ell} \ e_{\ell} \ e_{\ell} \ e_{\ell} \ e_{\ell} \ dec \ de_{\ell} \ ... \ a_{\ell} \ e_{\ell} \ e_{\ell} \ f \ A_{\ell+\ell} \ c_{\ell} \ a_{\ell} \ ... \ e_{\ell} \ A_{\ell+\ell} \ ded.$

Article 243

N \boxtimes ...a d. ...ef. e..., a a a, , , ...ef. \boxtimes ... c α_{+} ...a ce., ...e. a e... de.. e.e a ee... $_{+}$ aB, a...a e... $_{+}$ a... e...eb. a d. f d ec... ... α_{+} e. d... A ...ce. f A...ca. ... $_{+}$ e \boxtimes ... ef. $_{+}$... $_{+}$ e... e... $_{+}$ e... e... $_{+}$ e...

- (1) Where a are a ending ending
- $(2) \quad \text{If } ... \text{ e. } ... \text{ de . } ' \text{ e. e a } , \text{ ee. . } \text{ ad , } A \text{ . c e. . } f \text{ A. . . c a. . . } \text{ a. d f e. e c. } , \text{ e.e. . } \\ ... \text{ } f \text{ a, , . . a } , \dots \text{ ecc. } \text{ ayB. . c a. } \text{ e. e. e. e de . f a . c e. , . . e b a d . f d ec. . . . } \\ ... \text{ e. . . . ed . . a } \text{ e. d . . . } A \text{ . c e. . } f \text{ A. . . c a. . . . } \text{ acc. } \text{ da, ce } \square \text{ } \text{ e e } \text{ . . } \text{ e. e. . . } \text{ f. . ec. } \text{ , e.e. . } \\ a \text{ } B$

Article 244

Chapter 20 Notice

Article 245

 N_{c} . ce. , f . e C_{c} , $a_{\text{c}}B_{\text{f}}$, $a_{\text{b}}B_{\text{b}}$ e ed . , i , j ea, a f, j M .:

- (1) $de_{i} e_{y}Bb_{i}B_{i}a_{i}d;$
- (2) **b**, **B**, ...;
- (3) $b_{\mu}Bfa$, $e_{\mu}a_{\mu}$;

- (4) If $b \in C_{+}$, $b \in C_{+}$, a_{+} , a_{+}
- (5) $b_{\mu}B_{\mu 1} b_{\mu} c a_{\mu 1} c e_{\mu} e_{\mu}$;
- (6) ... e, e,c bed ear, be. $\underline{\mathbb{N}}$ ee, ... e $C_{(+)}$, a, $\underline{\mathbb{N}}$ Ba, d... e ec, e, e $c_{(+)}$ f $\underline{\mathbb{N}}$ ear, b, $B_{(1)}$ c. ec, e, ...

Where $C_{e_{1}}$, $C_{e_{2}}$, $C_{e_{3}}$, $C_{e_{4}}$

Article 246

Article 247

If we do end by Band, we done for the convention of the convention

Article 248

Where ee and an end on end in betwee End and a eard beach, and ed by Ba Chee ee and be eed and the eeg B, ..., d. b. ..., edd in a end beach, a eet ee and conditions and the eet efficient actions and earlier efficient actions actions and earlier efficient actions and earlier efficient actions and earlier efficient actions actions and earlier efficient actions actions and earlier efficient actions actions actions and earlier efficient actions actions actions actions and earlier efficient actions acti

Chapter 21 Settlement of Disputes

Article 249

 $T_{\ell} \in C_{\ell+1}, \ a_{\ell} y^B \otimes a_{\ell+1} \in C_{\ell+1}, \ y^B \otimes a_{\ell+1} \otimes e_{\ell+1} \otimes e_{\ell+1$

Where add, i.e. c_1a_1 decobed able is bounded ab.a., we expected with a black and a bounded abla and a bounded abla and a constant abla and a

D., i.e., e \mathbb{Z}_{N} , a., a.e., de a.d., e., e., a.e., de e., e.d., ..., a.e., be e., ed., ..., a.b., a...,

The a space ab. a space ab. a condition and a condition accordance by a condition ab. a condition accordance by a condition accordance by a condition ab. a condition accordance by a condition ab. a condition accordance by a condition ab. a condition accordance by a condition ac

- (3) The $a \boxtimes a \cap f$ PRC $a \cap a \cap e \cap a \cap b$ and $a \cap a \cap f$ denoted by $a \cap e \cap a \cap e \cap a \cap e \cap a$ and $a \cap a \cap a \cap e \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a \cap a \cap a \cap a$ and $a \cap a$

Chapter 22 Supplementary Articles

Article 250

Definition

(1) I. ... A. c.e. f.A. ... c.a. ..., ac. ... c. ... ce. ... eac. ... f. ... e.e. ... e.e. ... f. ... e.e. ... f. ... e.e. ... f. ... e.e. ... f. ... e.e. ... e.e. ... f. ... e.e. ... f. ... e.e. ... f. ... e.e. ... e.e. ... f. ... e.e. ... e.e. ... f.e. ... e.e. ... f. ... e.e. ... e.e. ... e.e. ... e.e. ... e.e. ... f. ... e.e. ...

- (2) A_{i} a_{i}
- (3) A caled e a ..., ... e e a ..., be. Bee ... e c ... a e ... de , ac. a c ... e , d ec. , 1, e ... e ... e ... ff ce ., a de ... e ... e d ec. Bc ... ed b.B.. e , a ... Be ... Bc ... e ... e ... Bc ... e ... e ... H. Be e , e ... e ... e ... e ... be e a ded a ... a ... a ... caled e a ... , ... B becare ... e ... Ba e ... e ... be e a ded a ... a ... a ... caled e a ... , ... B becare ... e ... e ... Ba e ... e ... e ... be e a ded a ... a ... a ... caled e a ... , ... B becare ... e ... e ... Ba e ... e ... be e a ded a ... a ... a ... caled e e ... B becare ... e ... e ... Ba e ... e ... be ... e ... be e a ded a ... a ... caled e ... e ... e ... becare ... e ... e ... e ... be ... e ... e

Article 252

 $T_{\ell} \, e \, . \, e_{\, \, | \, \ell} = a \, c \, c_{\ell} \, e_{\, \, \ell} \, . \, c_{\, \, \ell} \, e_{\, \, \ell} \, . \, c_{\, \, \ell} \, e_{\, \, \ell} \, . \, c_{\, \, \ell} \, e_{\, \, \ell} \, . \, c_{\, \, \ell} \, e_{\, \, \ell} \, . \, c_{\, \, \ell} \, e_{\, \, \ell$

Article 253

T. A. c.e., fA., c.a., a.e., c.e., e.e., f.c., g., a.e., a.y., a.e., a.y., a.y

Article 254

 $T_{\ell} e \ b_{\ell} \ a \ d_{\ell} f \ d_{\ell} e c_{\ell} \ \ldots \ f_{\ell} e \ C_{\ell} \ , \ a_{\ell} B_{\ell} \ , \ a_{j_{\ell}} b e \ e_{\ell} \ , \ldots \ b_{j_{\ell}} e \ f_{\ell} \ \ldots e \ , \ e_{\ell} e_{\ell} \ , \ e_{\ell} a_{\ell} \ldots \ f_{\ell} \ldots \ A_{\ell} c_{j_{\ell}} e_{\ell} \ , \ f \ A_{\ell} \ldots c \ a_{\ell} \ldots \ . \ .$